GATE 2022 General Aptitude

## Q. 1 - Q. 5 Carry ONE mark each.

| Q. 1 | Writing too many things on the______ while teaching could make the <br> students get___ |
| :--- | :--- |
| (A) | bored / board |
| (B) | board / bored |
| (C) | board / board |
| (D) | bored / bored |


| Q. 2 | Which one of the following is a representation (not to scale and in bold) of all |
| :--- | :--- | :--- |
| values of $x$ satisfying the inequality $2-5 x \leq-\frac{6 x-5}{3}$ on the real number |  |
| line? |  |
| (A) |  |
| (C) |  |

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| Q.3 | If $f(x)=2 \ln \left(\sqrt{e^{x}}\right)$, what is the area bounded by $f(x)$ for the interval [0, 2] <br> on the $x$-axis? |
| ---: | :--- |
| (A) | $\frac{1}{2}$ |
| (B) | 1 |
| (C) | 2 |
| (D) | 4 |


| Q. 4 | A person was born on the fifth Monday of February in a particular year. <br> Which one of the following statements is correct based on the above <br> information? |
| ---: | :--- |
| (A) | The $2^{\text {nd }}$ February of that year is a Tuesday |
| (B) | There will be five Sundays in the month of February in that year |
| (C) | The $1^{\text {st }}$ February of that year is a Sunday |
| (D) | All Mondays of February in that year have even dates |

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Q. 6 - Q. 10 Carry TWO marks each.

| Q.6 | Fish belonging to species S in the deep sea have skins that are extremely black <br> (ultra-black skin). This helps them not only to avoid predators but also sneakily <br> attack their prey. However, having this extra layer of black pigment results in <br> lower collagen on their skin, making their skin more fragile. <br> Which one of the following is the CORRECT logical inference based on the <br> information in the above passage? |
| ---: | :--- |
| (A) | Having ultra-black skin is only advantageous to species S |
| (B) | Species S with lower collagen in their skin are at an advantage because it helps <br> them avoid predators |
| (C) | Having ultra-black skin has both advantages and disadvantages to species S |
| (D) | Having ultra-black skin is only disadvantageous to species S but advantageous <br> only to their predators |

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| Q. 7 | For the past $m$ days, the average daily production at a company was 100 units <br> per day. <br> If today's production of 180 units changes the average to 110 units per day, <br> what is the value of $m ?$ |
| :--- | :--- |
| (A) | 18 |
| (B) | 10 |
| (C) | 7 |
| (D) | 5 |

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| Q. 8 | Consider the following functions for non-zero positive integers, $p$ and $q$. $\begin{aligned} & f(p, q)=\underbrace{p \times p \times p \times \ldots \ldots \times p}_{q \text { terms }}=p^{q} ; \quad f(p, 1)=p \\ & g(p, q)=p^{p^{p^{p^{:}}}} \begin{array}{l} :(\text { up to } q \text { terms) } \end{array} \\ & ; \quad g(p, 1)=p \end{aligned}$ <br> Which one of the following options is correct based on the above? |
| :---: | :---: |
| (A) | $f(2,2)=g(2,2)$ |
| (B) | $f(g(2,2), 2)<f(2, g(2,2))$ |
| (C) | $g(2,1) \neq f(2,1)$ |
| (D) | $f(3,2)>g(3,2)$ |

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| Q. 9 | Four cities $\mathrm{P}, \mathrm{Q}, \mathrm{R}$ and S are connected through one-way routes as shown in the figure. The travel time between any two connected cities is one hour. The boxes beside each city name describe the starting time of first train of the day and their frequency of operation. For example, from city P, the first trains of the day start at 8 AM with a frequency of 90 minutes to each of R and S . A person does not spend additional time at any city other than the waiting time for the next connecting train. <br> If the person starts from $R$ at 7 AM and is required to visit $S$ and return to $R$, what is the minimum time required? |
| :---: | :---: |
| (A) | 6 hours 30 minutes |
| (B) | 3 hours 45 minutes |
| (C) | 4 hours 30 minutes |
| (D) | 5 hours 15 minutes |

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| Q. 10 | Equal sized circular regions are shaded in a square sheet of paper of 1 cm side <br> length. Two cases, case M and case N, are considered as shown in the figures <br> below. In the case M, four circles are shaded in the square sheet and in the case <br> N, nine circles are shaded in the square sheet as shown. <br> What is the ratio of the areas of unshaded regions of case M to that of case N ? |
| :--- | :--- |
| (A) | $2: 3$ |
| (B) | $1: 1$ |
| (C) | $3: 2$ |
| (D) | $2: 1$ |

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## Q.11-35 Carry ONE mark each.

| Q.11 | $F(t)$ is a periodic square wave function as shown. It takes only two values, 4 and 0, <br> and stays at each of these values for 1 second before changing. What is the constant <br> term in the Fourier series expansion of $F(t)$ ? |  |
| :--- | :--- | :--- | :--- |
| (A) | 1 |  |
| (B) | 2 |  |
| (C) | 3 |  |
| (D) | 4 |  |

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| Q. 12 | Consider a cube of unit edge length and sides parallel to co-ordinate axes, with its <br> centroid at the point $(1,2,3)$. The surface integral $\int_{A} \overrightarrow{\boldsymbol{F}} \cdot d \overrightarrow{\boldsymbol{A}} \quad$ of a vector field <br> $\overrightarrow{\boldsymbol{F}}=3 x \hat{\boldsymbol{\imath}}+5 y \hat{\boldsymbol{\jmath}}+6 z \widehat{\boldsymbol{k}}$ over the entire surface $A$ of the cube is <br> (A) <br> (B) <br> (C) <br> (D) |
| :--- | :--- |
|  | 31 |


| Q. 13 | Consider the definite integral |
| :--- | :--- |
|  | Let $I_{e}$ be the exact value of the integral. If the same integral is estimated using <br> Simpson's rule with 10 equal subintervals, the value is $I_{s}$. <br> defined as $e=100 \times\left(I_{e}-I_{s}\right) / I_{e}$. The value of $e$ is |
| (A) | 2.5 |
| (B) | 3.5 |
| (C) | 1.2 |
| (D) | 0 |
|  |  |

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| Q.14 | Given $\int_{-\infty}^{\infty} e^{-x^{2}} d x=\sqrt{\pi}$. <br> If $a$ and $b$ are positive integers, the value of $\int_{-\infty}^{\infty} e^{-a(x+b)^{2}} d x$ is <br> (A) <br> $\sqrt{\pi a}$ <br> (B) <br> $\sqrt{\frac{\pi}{a}}$ <br> (C) <br> (D) <br> $b \sqrt{\frac{\pi}{\pi}}$ |
| :--- | :--- |


| Q. 15 | A polynomial $\varphi(s)=a_{n} s^{n}+a_{n-1} s^{n-1}+\cdots+a_{1} s+a_{0}$ of degree $n>3$ with <br> constant real coefficients $a_{n}, a_{n-1}, \ldots a_{0}$ has triple roots at $s=-\sigma$. Which one of <br> the following conditions must be satisfied? |
| :--- | :--- |
| (A) | $\varphi(s)=0$ at all the three values of $s$ satisfying $s^{3}+\sigma^{3}=0$ |
| (B) | $\varphi(s)=0, \frac{d \varphi(s)}{d s}=0$, and $\frac{d^{2} \varphi(s)}{d s^{2}}=0$ at $s=-\sigma$ |
| (C) | $\varphi(s)=0, \frac{d^{2} \varphi(s)}{d s^{2}}=0$, and $\frac{d^{4} \varphi(s)}{d s^{4}}=0$ at $s=-\sigma$ |
| (D) | $\varphi(s)=0$, and $\frac{d^{3} \varphi(s)}{d s^{3}}=0$ at $s=-\sigma$ |
|  |  |


| Q.16 | Which one of the following is the definition of ultimate tensile strength (UTS) <br> obtained from a stress-strain test on a metal specimen? |
| :--- | :--- |
| (A) | Stress value where the stress-strain curve transitions from elastic to plastic behavior |$|$| (B) | The maximum load attained divided by the original cross-sectional area |
| :--- | :--- |
| (C) | The maximum load attained divided by the corresponding instantaneous cross- <br> sectional area |
| (D) | Stress where the specimen fractures |
|  |  |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q. 17 | A massive uniform rigid circular disc is mounted on a frictionless bearing at the end <br> E of a massive uniform rigid shaft AE which is suspended horizontally in a uniform <br> gravitational field by two identical light inextensible strings AB and CD as shown, <br> where G is the center of mass of the shaft-disc assembly and $g$ is the acceleration <br> due to gravity. The disc is then given a rapid spin $\omega$ about its axis in the positive x- <br> axis direction as shown, while the shaft remains at rest. The direction of rotation is <br> defined by using the right-hand thumb rule. If the string AB is suddenly cut, <br> assuming negligible energy dissipation, the shaft AE will |
| :--- | :--- |
| (A) | rotate slowly (compared to $\omega$ ) about the negative z-axis direction |
| (B) | rotate slowly (compared to $\omega$ ) about the positive z -axis direction |
| (C) | rotate slowly (compared to $\omega$ ) about the positive y-axis direction |
| (D) | A |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q. 18 | A structural member under loading has a uniform state of plane stress which in usual <br> notations is given by $\sigma_{x}=3 P, \sigma_{y}=-2 P$ and $\tau_{x y}=\sqrt{2} P$, where $P>0$. The yield <br> strength of the material is $350 \mathrm{MPa}$. If the member is designed using the maximum <br> distortion energy theory, then the value of $P$ at which yielding starts (according to <br> the maximum distortion energy theory) is |
| :--- | :--- |
| (A) | 70 MPa |
| (B) | 90 MPa |
| (C) | 120 MPa |
| (D) | 75 MPa |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q. 19 | Fluidity of a molten alloy during sand casting depends on its solidification range. The phase diagram of a hypothetical binary alloy of components A and B is shown in the figure with its eutectic composition and temperature. All the lines in this phase diagram, including the solidus and liquidus lines, are straight lines. If this binary alloy with 15 weight $\%$ of B is poured into a mould at a pouring temperature of $800^{\circ} \mathrm{C}$, then the solidification range is |
| :---: | :---: |
|  |  |
| (A) | $400{ }^{\circ} \mathrm{C}$ |
| (B) | $250{ }^{\circ} \mathrm{C}$ |
| (C) | $800{ }^{\circ} \mathrm{C}$ |
| (D) | $150{ }^{\circ} \mathrm{C}$ |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q. 20 | A shaft of diameter $25_{-0.07}^{-0.04} \mathrm{~mm}$ is assembled in a hole of diameter $25_{-0.00}^{+0.02} \mathrm{~mm}$. Match the allowance and limit parameter in Column I with its corresponding quantitative value in Column II for this shaft-hole assembly. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Allowance and limit parameter (Column I) |  | Quantitative value (Column II) |  |
|  | P | Allowance | 1 | 0.09 mm |
|  | Q | Maximum clearance | 2 | 24.96 mm |
|  | R | Maximum material limit for hole | 3 | 0.04 mm |
|  |  |  | 4 | 25.0 mm |
|  |  |  |  |  |
| (A) | P-3, Q-1, R-4 |  |  |  |
| (B) | P-1, Q-3, R-2 |  |  |  |
| (C) | P-1, Q-3, R-4 |  |  |  |
| (D) | P-3, Q-1, R-2 |  |  |  |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q. 21 | Match the additive manufacturing technique in Column I with its corresponding input material in Column II. |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Additive manufacturing technique (Column I) |  | Input material (Column II) |  |
|  | P | Fused deposition modelling | 1 | Photo sensitive liquid resin |
|  | Q | Laminated object manufacturing | 2 | Heat fusible powder |
|  | R | Selective laser sintering | 3 | Filament of polymer |
|  |  |  | 4 | Sheet of thermoplastic or green compacted metal sheet |
|  |  |  |  |  |
| (A) | P-3, Q-4, R-2 |  |  |  |
| (B) | P-1, Q-2, R-4 |  |  |  |
| (C) | P-2, Q-3, R-1 |  |  |  |
| (D) | P-4, Q-1, R-4 |  |  |  |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q.22 | Which one of the following CANNOT impart linear motion in a CNC machine? |
| :--- | :--- |
| (A) | Linear motor |
| (B) | Ball screw |
| (C) | Lead screw |
| (D) | Chain and sprocket |
|  |  |


| Q.23 | Which one of the following is an intensive property of a thermodynamic system? |
| :--- | :--- |
| (A) | Mass |
| (B) | Density |
| (C) | Energy |
| (D) | Volume |
|  |  |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q.24 | Consider a steady flow through a horizontal divergent channel, as shown in the <br> figure, with supersonic flow at the inlet. The direction of flow is from left to right. |
| :--- | :--- |
| Pressure at location B is observed to be higher than that at an upstream location A. |  |
| Which among the following options can be the reason? |  |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q.25 | Which of the following non-dimensional terms is an estimate of Nusselt number? |
| :--- | :--- |
| (A) | Ratio of internal thermal resistance of a solid to the boundary layer thermal <br> resistance |
| (B) | Ratio of the rate at which internal energy is advected to the rate of conduction <br> heat transfer |
| (C) | Non-dimensional temperature gradient |
| (D) | Non-dimensional velocity gradient multiplied by Prandtl number |
|  |  |

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| Q.26 | A square plate is supported in four different ways (configurations (P) to (S) as shown <br> in the figure). A couple moment $C$ is applied on the plate. Assume all the members <br> to be rigid and mass-less, and all joints to be frictionless. All support links of the plate <br> are identical. |
| :--- | :--- |
| (A) | Configuration (P) |
| of the following support configurations? |  |
| (B) | Configuration (Q) |
| (C) | Configuration (R) |
| (D) | Configuration (S) |

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| Q.27 | Consider sand casting of a cube of edge length $a$. A cylindrical riser is placed at the <br> top of the casting. Assume solidification time, $t_{S} \propto V / A$, where $V$ is the volume <br> and $A$ is the total surface area dissipating heat. If the top of the riser is insulated, <br> which of the following radius/radii of riser is/are acceptable? |
| :--- | :--- |
| (A) | $\frac{a}{3}$ |
| (B) | $\frac{a}{2}$ |
| (C) | $\frac{a}{4}$ |
| (D) | $\frac{a}{6}$ |
|  |  |


| Q.28 | Which of these processes involve(s) melting in metallic workpieces? |
| :--- | :--- |
| (A) | Electrochemical machining |
| (B) | Electric discharge machining |
| (C) | Laser beam machining |
| (D) | Electron beam machining |
|  |  |

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| Q.29 | The velocity field in a fluid is given to be $\overrightarrow{\boldsymbol{V}}=(4 x y) \hat{\boldsymbol{\imath}}+2\left(x^{2}-y^{2}\right) \hat{\boldsymbol{\jmath}}$. <br> Which of the following statement(s) is/are correct? |
| :--- | :--- |
| (A) | The velocity field is one-dimensional. |
| (B) | The flow is incompressible. |
| (C) | The flow is irrotational. |
| (D) | The acceleration experienced by a fluid particle is zero at $(x=0, y=0)$. |
|  |  |

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| Q.30 | A rope with two mass-less platforms at its two ends passes over a fixed pulley as <br> shown in the figure. Discs with narrow slots and having equal weight of 20 N each <br> can be placed on the platforms. The number of discs placed on the left side platform <br> is $n$ and that on the right side platform is $m$. <br> It is found that for $n=5$ and $m=0$, a force $F=200 \mathrm{~N}$ (refer to part (i) of the figure) <br> is just sufficient to initiate upward motion of the left side platform. If the force $F$ is <br> removed then the minimum value of $m$ (refer to part (ii) of the figure) required to <br> prevent downward motion of the left side platform is_ integer). |
| :--- | :--- |


| Q.31 | For a dynamical system governed by the equation, <br> $\ddot{x}(t)+2 \zeta \omega_{n} \dot{x}(t)+\omega_{n}^{2} x(t)=0$, |
| :--- | :--- |
| the damping ratio $\zeta$ is equal to $\frac{1}{2 \pi} \log _{e} 2$. The displacement $x$ of this system is |  |
| measured during a hammer test. A displacement peak in the positive displacement |  |
| direction is measured to be 4 mm. Neglecting higher powers ( $>1)$ of the damping |  |
| ratio, the displacement at the next peak in the positive direction will be |  |
| mm (in integer). |  |


| Q. 32 | An electric car manufacturer underestimated the January sales of car by 20 units, <br> while the actual sales was 120 units. If the manufacturer uses exponential smoothing <br> method with a smoothing constant of $\alpha=0.2$, then the sales forecast for the month <br> of February of the same year is__units (in integer). |
| :--- | :--- |
|  |  |


| Q.33 | The demand of a certain part is 1000 parts/year and its cost is ₹1000/part. The orders <br> are placed based on the economic order quantity (EOQ). The cost of ordering is <br> ₹100/order and the lead time for receiving the orders is 5 days. If the holding cost <br> is ₹20/part/year, the inventory level for placing the orders is parts <br> (round off to the nearest integer). |
| :--- | :--- |
|  |  |

[^0]Consider 1 kg of an ideal gas at 1 bar and 300 K contained in a rigid and perfectly insulated container. The specific heat of the gas at constant volume $c_{v}$ is equal to $750 \mathrm{~J} \cdot \mathrm{~kg}^{-1} \cdot \mathrm{~K}^{-1}$. A stirrer performs 225 kJ of work on the gas. Assume that the container does not participate in the thermodynamic interaction. The final pressure of the gas will be $\qquad$ bar (in integer).


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Q. 36-65 Carry TWO marks each.

| Q.36 | For the exact differential equation, <br>  <br>  <br>  <br> which one of the following is the solution? <br> (A) <br> $u^{2}+2 x^{2}=\frac{-x u^{2}}{2+x^{2} u}$, <br> (B) <br> (C) <br> $\frac{1}{2} x^{2}+u=$ constant <br> (D) |
| :--- | :--- |
|  | $\frac{1}{2} u x^{2}+2 u=$ constant |


| Q. 37 | A rigid homogeneous uniform block of mass 1 kg, height $h=0.4 \mathrm{~m}$ and width <br> $b=0.3 \mathrm{~m}$ is pinned at one corner and placed upright in a uniform gravitational field <br> $\left(g=9.81 \mathrm{~m} / \mathrm{s}^{2}\right)$, supported by a roller in the configuration shown in the figure. A <br> short duration (impulsive) force $F$, producing an impulse $I_{F}$, is applied at a height <br> of $d=0.3 \mathrm{~m}$ from the bottom as shown. Assume all joints to be frictionless. The <br> minimum value of $I_{F}$ required to topple the block is |
| :--- | :--- |
| (A) | 0.953 Ns |
| (B) | 1.403 Ns |
| (C) | 0.814 Ns |
| (D) | 1.172 Ns |

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GATE 2022 (ME Set-2) Mechanical Engineering

| Q. 38 | A linear elastic structure under plane stress condition is subjected to two sets of <br> loading, I and II. The resulting states of stress at a point corresponding to these two <br> loadings are as shown in the figure below. If these two sets of loading are applied <br> simultaneously, then the net normal component of stress $\sigma_{x x}$ is |
| :--- | :--- |
| (A) | $3 \sigma / 2$ |
| (B) | $\sigma(1+1 / \sqrt{2})$ |
| (C) | $\sigma / 2$ |
| (D) | $\sigma(1-1 / \sqrt{2})$ |

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| Q.39 | A rigid body in the X-Y plane consists of two point masses (1 kg each) attached to <br> the ends of two massless rods, each of 1 cm length, as shown in the figure. It rotates <br> at 30 RPM counter-clockwise about the Z-axis passing through point O. A point <br> mass of $\sqrt{2} \mathrm{~kg}$, attached to one end of a third massless rod, is used for balancing the <br> body by attaching the free end of the rod to point O. The length of the third rod <br> is cm. |
| :--- | :--- |
| (A) | 1 |
| (B) | $\sqrt{2}$ |
| (C) | $1 / \sqrt{2}$ |
| (D) | $1 / 2 \sqrt{2}$ |

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| Q. 40 | A spring mass damper system (mass $m$, stiffness $k$, and damping coefficient $c$ ) excited by a force $F(t)=B \sin \omega t$, where $B, \omega$ and $t$ are the amplitude, frequency and time, respectively, is shown in the figure. Four different responses of the system (marked as (i) to (iv)) are shown just to the right of the system figure. In the figures of the responses, $A$ is the amplitude of response shown in red color and the dashed lines indicate its envelope. The responses represent only the qualitative trend and those are not drawn to any specific scale. <br> (i) <br> (iii) <br> (ii) <br> (iv) <br> Four different parameter and forcing conditions are mentioned below. <br> (P) $c>0$ and $\omega=\sqrt{k / m}$ <br> (Q) $c<0$ and $\omega \neq 0$ <br> (R) $c=0$ and $\omega=\sqrt{k / m}$ <br> (S) $c=0$ and $\omega \cong \sqrt{k / m}$ <br> Which one of the following options gives correct match (indicated by arrow $\rightarrow$ ) of the parameter and forcing conditions to the responses? |
| :---: | :---: |
| (A) | (P) $\rightarrow$ (i), (Q) $\rightarrow$ (iii), (R) $\rightarrow$ (iv), (S) $\rightarrow$ (ii) |
| (B) | $(\mathrm{P}) \rightarrow$ (ii), (Q) $\rightarrow$ (iii), (R) $\rightarrow$ (iv), (S) $\rightarrow$ (i) |
| (C) | $(\mathrm{P}) \rightarrow$ (i), (Q) $\rightarrow$ (iv), (R) $\rightarrow$ (ii), (S) $\rightarrow$ (iii) |
| (D) | $(\mathrm{P}) \rightarrow$ (iii), (Q) $\rightarrow$ (iv), (R) $\rightarrow$ (ii), (S) $\rightarrow$ (i) |


| Q. 41 | Parts P1-P7 are machined first on a milling machine and then polished at a separate machine. Using the information in the following table, the minimum total completion time required for carrying out both the operations for all 7 parts is $\qquad$ hours. |  |  |
| :---: | :---: | :---: | :---: |
|  | Part | Milling (hours) | Polishing (hours) |
|  | P1 | 8 | 6 |
|  | P2 | 3 | 2 |
|  | P3 | 3 | 4 |
|  | P4 | 4 | 6 |
|  | P5 | 5 | 7 |
|  | P6 | 6 | 4 |
|  | P7 | 2 | 1 |
| (A) | 31 |  |  |
| (B) | 33 |  |  |
| (C) | 30 |  |  |
| (D) | 32 |  |  |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q. 42 | A manufacturing unit produces two products P1 and P2. For each piece of P1 and P 2 , the table below provides quantities of materials M1, M2, and M3 required, and also the profit earned. The maximum quantity available per day for M1, M2 and M3 is also provided. The maximum possible profit per day is ₹ $\qquad$ . |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | M1 | M2 | M3 | Profit per piece <br> (₹) |
|  | P1 | 2 | 2 | 0 | 150 |
|  | P2 | 3 | 1 | 2 | 100 |
|  | Maximum quantity available per day | 70 | 50 | 40 |  |
| (A) | 5000 |  |  |  |  |
| (B) | 4000 |  |  |  |  |
| (C) | 3000 |  |  |  |  |
| (D) | 6000 |  |  |  |  |


| Q. 43 | A tube of uniform diameter $D$ is immersed in a steady flowing inviscid liquid stream of velocity $V$, as shown in the figure. Gravitational acceleration is represented by $g$. The volume flow rate through the tube is $\qquad$ |
| :---: | :---: |
| (A) | $\frac{\pi}{4} D^{2} V$ |
| (B) | $\frac{\pi}{4} D^{2} \sqrt{2 g h_{2}}$ |
| (C) | $\frac{\pi}{4} D^{2} \sqrt{2 g\left(h_{1}+h_{2}\right)}$ |
| (D) | $\frac{\pi}{4} D^{2} \sqrt{V^{2}-2 g h_{2}}$ |

GATE 2022 (ME Set-2) Mechanical Engineering

| Q.44 | The steady velocity field in an inviscid fluid of density 1.5 is given to be <br> $\overrightarrow{\boldsymbol{V}}=\left(y^{2}-x^{2}\right) \hat{\boldsymbol{\imath}}+(2 x y) \hat{\boldsymbol{\jmath}}$. Neglecting body forces, the pressure gradient at <br> $(x=1, y=1)$ is <br> (A) <br> $10 \hat{\boldsymbol{\jmath}}$ |
| :--- | :--- |
| (B) | $20 \hat{\boldsymbol{\imath}}$ |
| (C) | $-6 \hat{\boldsymbol{\imath}}-6 \hat{\boldsymbol{\jmath}}$ |$\quad$| (D) |
| :--- |
| $-4 \hat{\boldsymbol{\imath}}-4 \hat{\boldsymbol{\jmath}}$ |


| Q.45 | In a vapour compression refrigeration cycle, the refrigerant enters the compressor <br> in saturated vapour state at evaporator pressure, with specific enthalpy equal to <br> $250 \mathrm{~kJ} / \mathrm{kg}$. The exit of the compressor is superheated at condenser pressure with <br> specific enthalpy equal to $300 \mathrm{~kJ} / \mathrm{kg}$. At the condenser exit, the refrigerant is <br> throttled to the evaporator pressure. The coefficient of performance (COP) of the <br> cycle is 3. If the specific enthalpy of the saturated liquid at evaporator pressure is <br> $50 \mathrm{~kJ} / \mathrm{kg}$, then the dryness fraction of the refrigerant at entry to evaporator <br> is |
| :--- | :--- |
| (A) | 0.2 |
| (B) | 0.25 |
| (C) | 0.3 |
| (D) | 0.35 |
|  |  |


| Q.46 | $\mathbf{A}$ is a $3 \times 5$ real matrix of rank 2. For the set of homogeneous equations $\mathbf{A x}=\mathbf{0}$, <br> where $\mathbf{0}$ is a zero vector and $\mathbf{x}$ is a vector of unknown variables, which of the <br> following is/are true? |
| :--- | :--- |
| (A) | The given set of equations will have a unique solution. |
| (B) | The given set of equations will be satisfied by a zero vector of appropriate size. |
| (C) | The given set of equations will have infinitely many solutions. |
| (D) | The given set of equations will have many but a finite number of solutions. |
|  |  |

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| Q. 47 | The lengths of members BC and CE in the frame shown in the figure are equal. All <br> the members are rigid and lightweight, and the friction at the joints is negligible. <br> Two forces of magnitude $Q>0$ are applied as shown, each at the mid-length of the <br> respective member on which it acts. |
| :--- | :--- |
| (A) | AB |
| (B) | CD |
| (C) | EF |
| (D) | GH |

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| Q. 48 | If the sum and product of eigenvalues of a $2 \times 2$ real matrix $\left[\begin{array}{ll}3 & p \\ p & q\end{array}\right]$ are 4 and -1 <br> respectively, then $\|p\|$ is ___(in integer). |
| :--- | :--- |

Q. 49 Given $z=x+i y, i=\sqrt{-1}$. $C$ is a circle of radius 2 with the centre at the origin. If the contour $C$ is traversed anticlockwise, then the value of the integral $\frac{1}{2 \pi} \int_{C} \frac{1}{(z-i)(z+4 i)} d z$ is $\qquad$ (round off to one decimal place).


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| Q. 51 | A rigid beam AD of length $3 a=6 \mathrm{~m}$ is hinged at frictionless pin joint A and <br> supported by two strings as shown in the figure. String BC passes over two small <br> frictionless pulleys of negligible radius. All the strings are made of the same material <br> and have equal cross-sectional area. A force $F=9$ <br> resulting stresses in the strings are within linear elastic limit. The self- at C and the <br> beam is negligible with respect to the applied load. Assuming small deflections, the the <br> tension developed in the string at C is <br> kN (round offt to 2 decimal places). |
| :--- | :--- |


| Q. 52 | In the configuration of the planar four-bar mechanism at a certain instant as shown <br> in the figure, the angular velocity of the 2 cm long link is $\omega_{2}=5$ rad/s. Given the <br> dimensions as shown, the magnitude of the angular velocity $\omega_{4}$ of the 4 cm long <br> link is given by __rad/s (round off to 2 decimal places). |
| :--- | :--- |



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| Q. 54 | $\left.\begin{array}{l}\text { A straight-teeth horizontal slab milling cutter is shown in the figure. It has } 4 \text { teeth } \\ \text { and diameter }(D) \text { of } 200 \mathrm{~mm} \text {. The rotational speed of the cutter is } 100 \text { rpm and the } \\ \text { linear feed given to the workpiece is } 1000 \mathrm{~mm} / \mathrm{minute} \text {. The width of the workpiece } \\ (w) \text { is } 100 \mathrm{~mm} \text {, and the entire width is milled in a single pass of the cutter. The } \\ \text { cutting force/tooth is given by } F=K t_{c} w \text {, where specific cutting force } \\ K=10 \mathrm{~N} / \mathrm{mm}^{2}, w \text { is the width of cut, and } t_{c} \text { is the uncut chip thickness. } \\ \text { The depth of cut }(d) \text { is } D / 2 \text {, and hence the assumption of } \frac{d}{D} \ll 1 \text { is invalid. The } \\ \text { maximum cutting force required is_ }\end{array}\right\}$ |
| :--- | :--- |


| Q.55 | In an orthogonal machining operation, the cutting and thrust forces are equal in <br> magnitude. The uncut chip thickness is 0.5 mm and the shear angle is $15^{\circ}$. The <br> orthogonal rake angle of the tool is $0^{\circ}$ and the width of cut is 2 mm . The workpiece <br> material is perfectly plastic and its yield shear strength is 500 MPa . The cutting <br> force is (round off to the nearest integer). |
| :--- | :--- |
|  |  |

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| Q. 56 | The best size wire is fitted in a groove of a metric screw such that the wire touches <br> the flanks of the thread on the pitch line as shown in the figure. The pitch $(p)$ and <br> included angle of the thread are 4 mm and $60^{\circ}$, respectively. The diameter of the <br> best size wire is mm (round off to 2 decimal places). |
| :--- | :--- |


| Q. 57 | In a direct current arc welding process, the power source has an open circuit voltage <br> of 100 V and short circuit current of 1000 A . Assume a linear relationship between <br> voltage and current. The arc voltage ( $V$ varies with the arc length $(l)$ as <br> $V=10+5 l$, where $V$ is in volts and $l$ is in mm. The maximum available arc power <br> during the process is $\quad \mathrm{kVA}$ (in integer). |
| :--- | :--- |
|  |  |

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| Q. 58 | A cylindrical billet of 100 mm diameter and 100 mm length is extruded by a direct <br> extrusion process to produce a bar of L-section. The cross sectional dimensions of <br> this L-section bar are shown in the figure. The total extrusion pressure $(p)$ in MPa <br> for the above process is related to extrusion ratio $(r)$ as |
| :--- | :--- |
| $\qquad p=K_{s} \sigma_{m}\left[0.8+1.5 \ln (r)+\frac{2 l}{d_{0}}\right]$, |  |
| where $\sigma_{m}$ is the mean flow strength of the billet material in MPa, $l$ is the portion of |  |
| the billet length remaining to be extruded in mm, $d_{0}$ is the initial diameter of the |  |
| billet in mm, and $K_{s}$ is the die shape factor. |  |
| If the mean flow strength of the billet material is 50 MPa and the die shape factor |  |
| is 1.05, then the maximum force required at the start of extrusion is |  |
| (round off to one decimal place). |  |

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| Q. 60 | A rigid tank of volume of $8 \mathrm{~m}^{3}$ is being filled up with air from a pipeline connected <br> through a valve. Initially the valve is closed and the tank is assumed to be <br> completely evacuated. The air pressure and temperature inside the pipeline are <br> maintained at 600 kPa and 306 K, respectively. The filling of the tank begins by <br> opening the valve and the process ends when the tank pressure is equal to the <br> pipeline pressure. During the filling process, heat loss to the surrounding <br> is 1000 kJ. The specific heats of air at constant pressure and at constant volume <br> are $1.005 \mathrm{~kJ} / \mathrm{kg} . \mathrm{K}$ and $0.718 \mathrm{~kJ} / \mathrm{kg} . \mathrm{K}$, respectively. Neglect changes in kinetic <br> energy and potential energy. <br> The final temperature of the tank after the completion of the filling process <br> is <br> K (round off to the nearest integer). |
| :--- | :--- |


| Q.61 | At steady state, $500 \mathrm{~kg} / \mathrm{s}$ of steam enters a turbine with specific enthalpy equal <br> to $3500 \mathrm{~kJ} / \mathrm{kg}$ and specific entropy equal to $6.5 \mathrm{~kJ} \cdot \mathrm{~kg}^{-1} \cdot \mathrm{~K}^{-1}$. It expands reversibly in <br> the turbine to the condenser pressure. Heat loss occurs reversibly in the turbine at a <br> temperature of 500 K. If the exit specific enthalpy and specific entropy <br> are $2500 \mathrm{~kJ} / \mathrm{kg}$ and $6.3 \mathrm{~kJ} \cdot \mathrm{~kg}^{-1} \cdot \mathrm{~K}^{-1}$, respectively, the work output from the turbine <br> is $\quad \mathrm{MW}($ in integer $)$. |
| :--- | :--- |
|  |  |


| Q. 62 | A uniform wooden rod (specific gravity $=0.6$, diameter $=4 \mathrm{~cm}$ and <br> length $=8 \mathrm{~m}$ ) is immersed in the water and is hinged without friction at point A on <br> the waterline as shown in the figure. A solid spherical ball made of lead (specific <br> gravity $=11.4$ ) is attached to the free end of the rod to keep the assembly in static <br> equilibrium inside the water. For simplicity, assume that the radius of the ball is <br> much smaller than the length of the rod. <br> Assume density of water $=10^{3} \mathrm{~kg} / \mathrm{m}^{3}$ and $\pi=3.14$. <br> Radius of the ball is <br> cm (round off to 2 decimal places). |
| :--- | :--- |

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| Q. 63 | Consider steady state, one-dimensional heat conduction in an infinite slab of thickness $2 L(L=1 \mathrm{~m})$ as shown in the figure. The conductivity $(k)$ of the material varies with temperature as $k=C T$, where $T$ is the temperature in $K$, and $C$ is a constant equal to $2 \mathrm{~W} \cdot \mathrm{~m}^{-1} \cdot \mathrm{~K}^{-2}$. There is a uniform heat generation of $1280 \mathrm{~kW} / \mathrm{m}^{3}$ in the slab. If both faces of the slab are maintained at 600 K , then the temperature at $x=0$ is $\qquad$ K (in integer). |
| :---: | :---: |


| Q.64 | Saturated vapor at $200^{\circ} \mathrm{C}$ condenses to saturated liquid at the rate of $150 \mathrm{~kg} / \mathrm{s}$ on <br> the shell side of a heat exchanger (enthalpy of condensation $h_{f g}=2400 \mathrm{~kJ} / \mathrm{kg}$ ). A <br> fluid with $c_{p}=4{\mathrm{~kJ} \cdot \mathrm{~kg}^{-1} \cdot \mathrm{~K}^{-1} \text { enters at } 100^{\circ} \mathrm{C} \text { on the tube side. If the effectiveness }}_{\text {of the heat exchanger is } 0.9, \text { then the mass flow rate of the fluid in the tube side }}^{\text {is }}$isg/s (in integer). <br>  |
| :--- | :--- |


| Q. 65 | Consider a hydrodynamically and thermally fully-developed, steady fluid flow of $1 \mathrm{~kg} / \mathrm{s}$ in a uniformly heated pipe with diameter of 0.1 m and length of 40 m . A constant heat flux of magnitude $15000 \mathrm{~W} / \mathrm{m}^{2}$ is imposed on the outer surface of the pipe. The bulk-mean temperature of the fluid at the entrance to the pipe is $200^{\circ} \mathrm{C}$. The Reynolds number ( Re ) of the flow is 85000 , and the Prandtl number $(\mathrm{Pr})$ of the fluid is 5 . The thermal conductivity and the specific heat of the fluid are $0.08 \mathrm{~W} \cdot \mathrm{~m}^{-1} \cdot \mathrm{~K}^{-1}$ and $2600 \mathrm{~J} \cdot \mathrm{~kg}^{-1} \cdot \mathrm{~K}^{-1}$, respectively. The correlation $\mathrm{Nu}=0.023 \mathrm{Re}^{0.8} \mathrm{Pr}^{0.4}$ is applicable, where the Nusselt Number $(\mathrm{Nu})$ is defined on the basis of the pipe diameter. The pipe surface temperature at the exit is $\qquad$ ${ }^{\circ} \mathrm{C}$ (round off to the nearest integer). |
| :---: | :---: |


[^0]:    Q. 34

