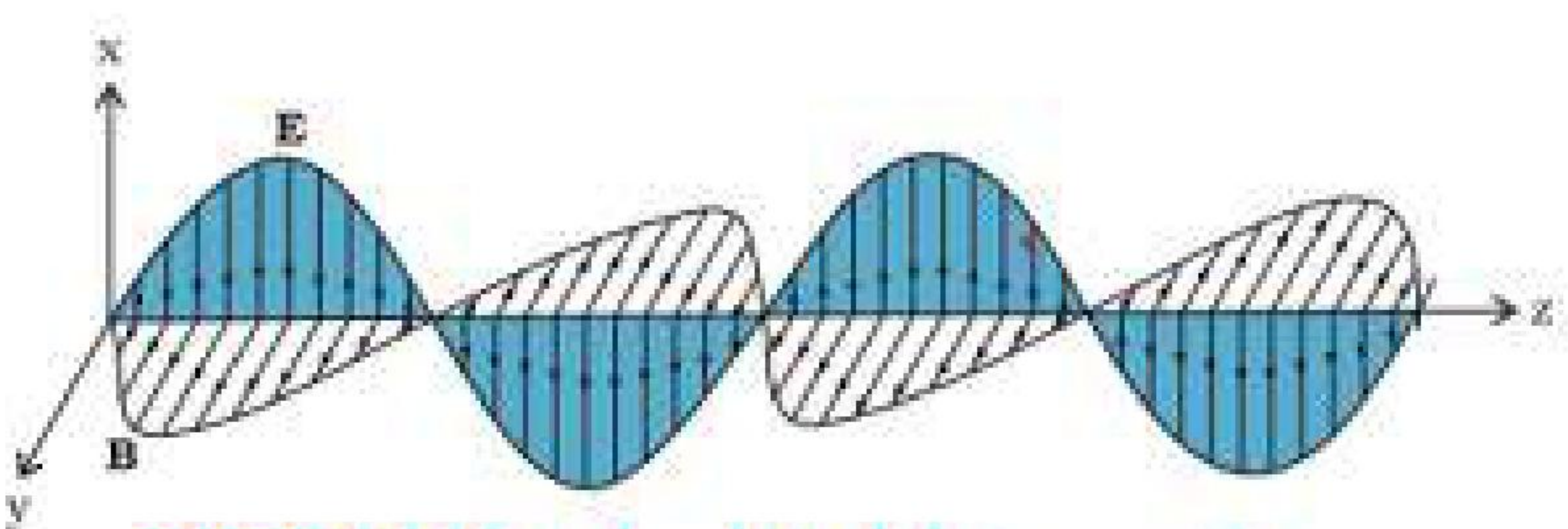


MARKING SCHEME

Senior Secondary School Term II Compartment Examination, 2022  
 PHYSICS THEORY (042)  
 [ 55/6/2 ]

Q. No.	EXPECTED ANSWERS / VALUE POINTS	Marks	Total Marks										
<b>Section A</b>													
1.	<table border="1" style="width: 100%;"> <tr> <td>a) Explanation</td> <td style="text-align: right;">1</td> </tr> <tr> <td>b) Conditions for two light sources to be coherent</td> <td style="text-align: right;"><math>\frac{1}{2} + \frac{1}{2}</math></td> </tr> </table> <p>a) Crystal is electrically neutral as the charge of additional electrons provided by donor impurity is just equal and opposite to that of the ionised cores in the lattice.</p> <p>b) (i) The waves from two light sources should have zero or constant phase difference.                  (ii) The waves should be of same frequency/wavelength.</p>	a) Explanation	1	b) Conditions for two light sources to be coherent	$\frac{1}{2} + \frac{1}{2}$	1 $\frac{1}{2}$ $\frac{1}{2}$	2						
a) Explanation	1												
b) Conditions for two light sources to be coherent	$\frac{1}{2} + \frac{1}{2}$												
2	<p>a)</p> <table border="1" style="width: 100%;"> <tr> <td>i) Reason of using shortwave band</td> <td style="text-align: right;">1</td> </tr> <tr> <td>ii) Reason of experimental demonstration in low frequency region</td> <td style="text-align: right;">1</td> </tr> </table> <p>i) Ionosphere reflects waves in these bands.</p> <p>ii) The frequency that we get even with modern electronic circuits is hardly about <math>10^{11}</math> Hz, this is why experimental demonstration of electromagnetic waves had to come in low frequency region.</p> <p style="text-align: center;">OR</p> <p>b)</p> <table border="1" style="width: 100%;"> <tr> <td>i) Diagram</td> <td style="text-align: right;">1</td> </tr> <tr> <td>ii) Identification of wave</td> <td style="text-align: right;"><math>\frac{1}{2}</math></td> </tr> <tr> <td>Use</td> <td style="text-align: right;"><math>\frac{1}{2}</math></td> </tr> </table> <p>i)</p>  <p>[ Note : Award full marks even if a student takes E and B on Y and X axis.]</p> <p>ii) X rays                  Use : As a diagnostic tool in medicine / treatment of cancer / or any other.</p>	i) Reason of using shortwave band	1	ii) Reason of experimental demonstration in low frequency region	1	i) Diagram	1	ii) Identification of wave	$\frac{1}{2}$	Use	$\frac{1}{2}$	1  1  1  1  $\frac{1}{2}$ $\frac{1}{2}$	2
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3	<table border="1" style="width: 100%;"> <tr> <td>a) Reason</td> <td style="text-align: right;">1</td> </tr> <tr> <td>b) Finding value of Kinetic energy</td> <td style="text-align: right;"><math>\frac{1}{2}</math></td> </tr> <tr> <td>Finding value of potential energy</td> <td style="text-align: right;"><math>\frac{1}{2}</math></td> </tr> </table>	a) Reason	1	b) Finding value of Kinetic energy	$\frac{1}{2}$	Finding value of potential energy	$\frac{1}{2}$						
a) Reason	1												
b) Finding value of Kinetic energy	$\frac{1}{2}$												
Finding value of potential energy	$\frac{1}{2}$												

	a) Alpha particle reverses its direction of motion, due to strong repulsive force, exerted by positively charged nucleus without even actually touching the gold nucleus.	1	
	b) $E_n = -3.4\text{eV}$ (given) $E_k = -E_n = 3.4\text{eV}$ $U = 2E_n = -6.8\text{eV}$	$\frac{1}{2}$ $\frac{1}{2}$	2

**Section - B**

4	<p>a)</p> <table border="1" style="width: 100%;"> <tr> <td>a) Explanation</td> <td>1</td> </tr> <tr> <td>Two differences</td> <td>1 + 1</td> </tr> </table> <p>Maximum intensity is obtained at a point on the screen when the path difference is <math>(2n+1)\frac{\lambda}{2}</math>. With increasing 'n' only one-third, one-fifth, one-seventh etc of the slit contribute, hence intensity of maxima decreases sharply.</p> <p><b>Alternatively</b> With the increase of order (n) the number of secondary wavelets responsible for the formation of secondary maxima decreases, resulting in sharp decrease of intensity.</p> <p>Differences (any two)</p> <ol style="list-style-type: none"> <li>1. Diffraction is a pattern formed as a result of superposition of waves from different portions of the same wave front. Interference is a pattern on a screen a result of superposition of single slit diffraction from two slits.</li> <li>2. In diffraction pattern width of central maximum is twice the width of secondary maxima. In interference pattern width of each maxima is same.</li> <li>3. In diffraction pattern intensity of maxima goes on decreasing as we move away from central maximum. In interference pattern intensity of all maxima is same.</li> <li>4. In diffraction pattern there is no absolute minima. In interference pattern absolute minima depends on amplitude of waves superposing.</li> </ol> <p align="center"><b>OR</b></p> <table border="1" style="width: 100%;"> <tr> <td>b) Diagram</td> <td>1</td> </tr> <tr> <td>Verification of Snell's law</td> <td>2</td> </tr> </table> <div style="text-align: center;"> </div> <p>Consider the triangles ABC and AEC, we readily obtain</p> $\sin i = \frac{BC}{AC} = \frac{v_1 \tau}{AC}$ <p>And</p>	a) Explanation	1	Two differences	1 + 1	b) Diagram	1	Verification of Snell's law	2	1	1+1
a) Explanation	1										
Two differences	1 + 1										
b) Diagram	1										
Verification of Snell's law	2										

$$\sin r = \frac{AE}{AC} = \frac{v_2 \tau}{AC}$$

where i and r are the angles of incidence and refraction, respectively.

Thus we obtain

$$\frac{\sin i}{\sin r} = \frac{v_1}{v_2} \text{-----(1)}$$

If c represents the speed of light in vacuum, then,

$$n_1 = \frac{c}{v_1}$$

and

$$n_2 = \frac{c}{v_2}$$

are known as the refractive indices of medium 1 and medium 2, respectively. In terms of the refractive indices, eq. (1) can be written as

$$n_1 \sin i = n_2 \sin r$$

This is the Snell's law of refraction.

1/2

1/2

1/2

1/2

3

5.

Calculating

- |  |       |
|--|-------|
| a) Distance of third minima                          | 1 1/2 |
| b) Distance of second maxima from the central maxima | 1 1/2 |

$$\begin{aligned} \text{a) } x &= (2n+1) \frac{\lambda D}{2d} \\ &= \frac{(2 \times 2 + 1) \times 500 \times 1 \times 10^{-9}}{2} \\ &= \frac{2 \times 10^{-3}}{5 \times 5 \times 10^{-4}} = 12.5 \times 10^{-4} \text{ m} = 1.25 \text{ mm} \end{aligned}$$

$$\begin{aligned} \text{b) } x &= \frac{n \lambda D}{d} \\ x &= \frac{2 \times 500 \times 1 \times 10^{-9}}{10^{-3}} \\ x &= 10^{-3} \text{ m} = 1 \text{ mm} \end{aligned}$$

1/2

1/2

1/2

1/2

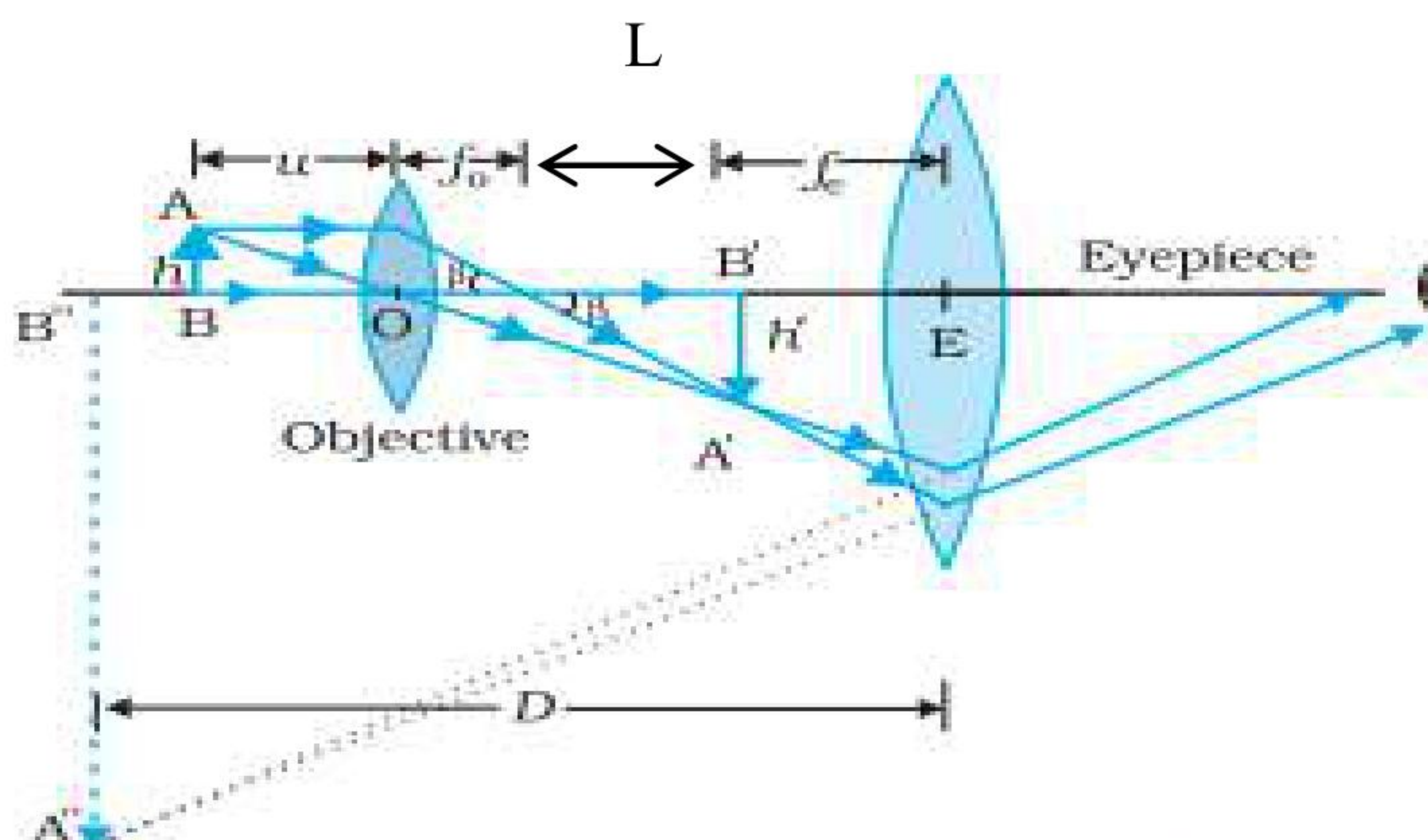
1/2

1/2

3

6.

- |  |   |
|--|---|
| a) Ray diagram                         | 1 |
| b) Derivation of angular magnification | 2 |



Linear magnification due to objective ( $m_o$ )

1



$$m_o = \frac{h'}{h} = \frac{L}{f_o} \text{----- (1)}$$

Linear magnification due to eye piece ( $m_e$ ) when final image is formed at near point (D)

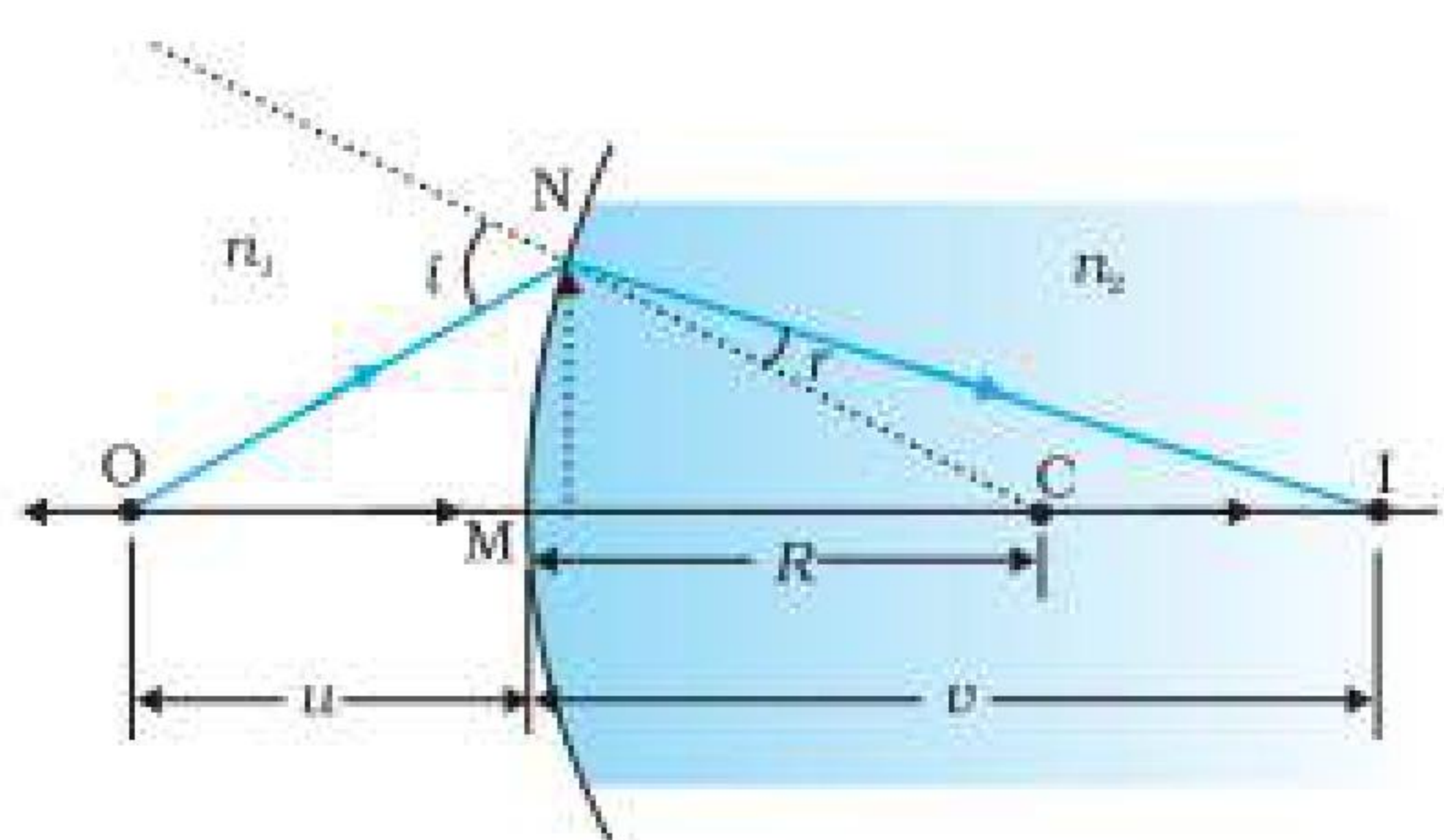
$$m_e = 1 + \frac{D}{f_e} \text{-----(2)}$$

Total magnification  $m = m_o \times m_e$

$$m = \frac{L}{f_o} \left( 1 + \frac{D}{f_e} \right)$$

OR

b)	a) Ray diagram	1
	b) Derivation	2



for small angles,

$$\tan \angle NOM = \frac{MN}{OM}$$

$$\tan \angle NCM = \frac{MN}{MC}$$

$$\tan \angle NIM = \frac{MN}{MI}$$

Now, for  $\triangle NOC$ ,  $\angle i$  is the exterior angle. Therefore,  $\angle i = \angle NOM + \angle NCM$

$$i = \frac{MN}{OM} + \frac{MN}{MC}$$

Similarly,

$$r = \angle NCM - \angle NIM$$

$$\text{i.e. } r = \frac{MN}{MC} - \frac{MN}{MI}$$

now, by Snell's law

$$n_1 \sin i = n_2 \sin r$$

or for small angles,  $\sin i \approx i$  and  $\sin r \approx r$

$$n_1 i = n_2 r$$

Substituting  $i$  and  $r$ , we get

$$\frac{n_1}{OM} + \frac{n_2}{MI} = \frac{n_2}{MC} - \frac{n_1}{MI}$$

Here,  $OM$ ,  $MI$  and  $MC$  represent magnitude of distances. Applying the Cartesian sign convention

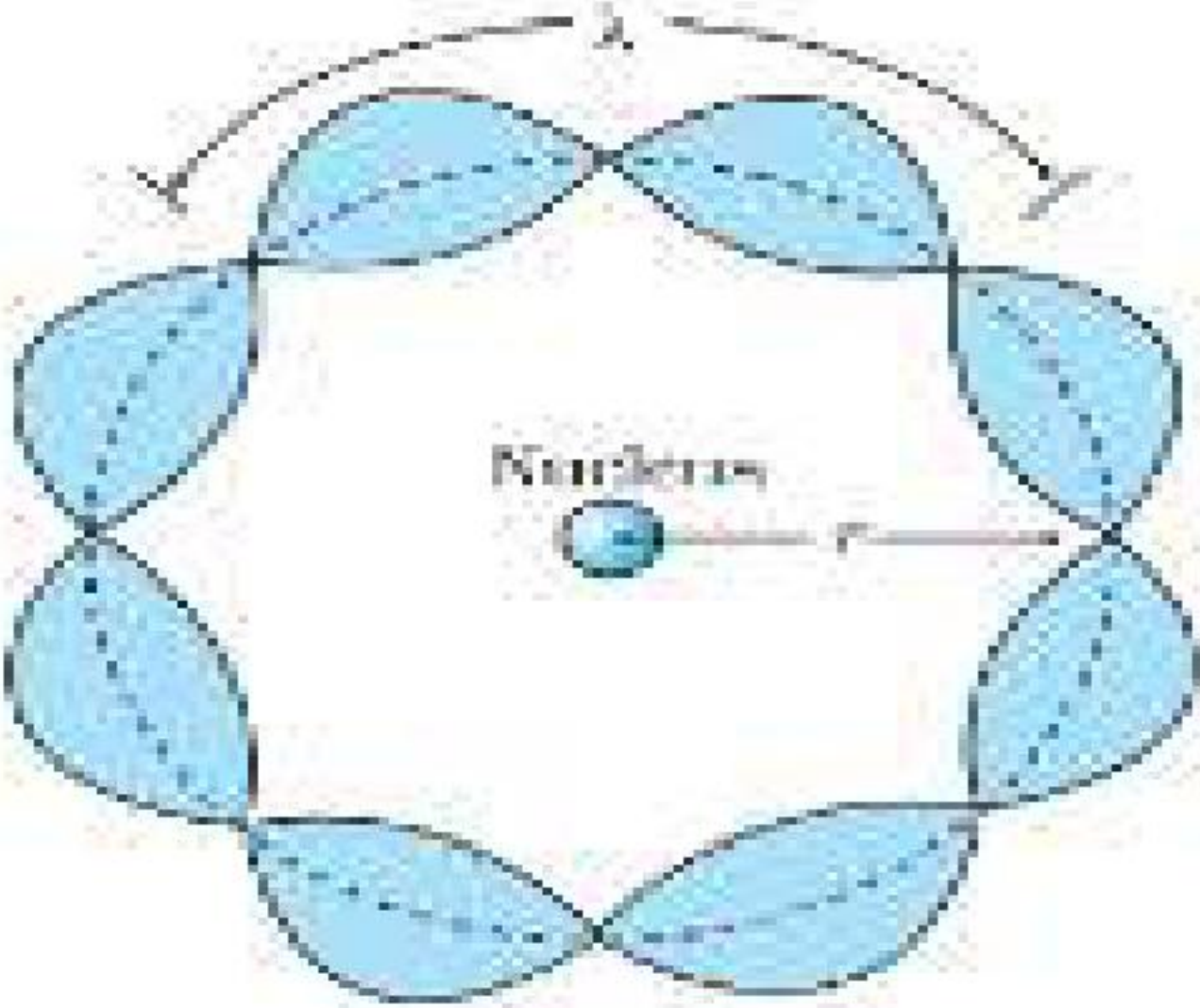
$$OM = -u, \quad MI = +v, \quad MC = +R$$

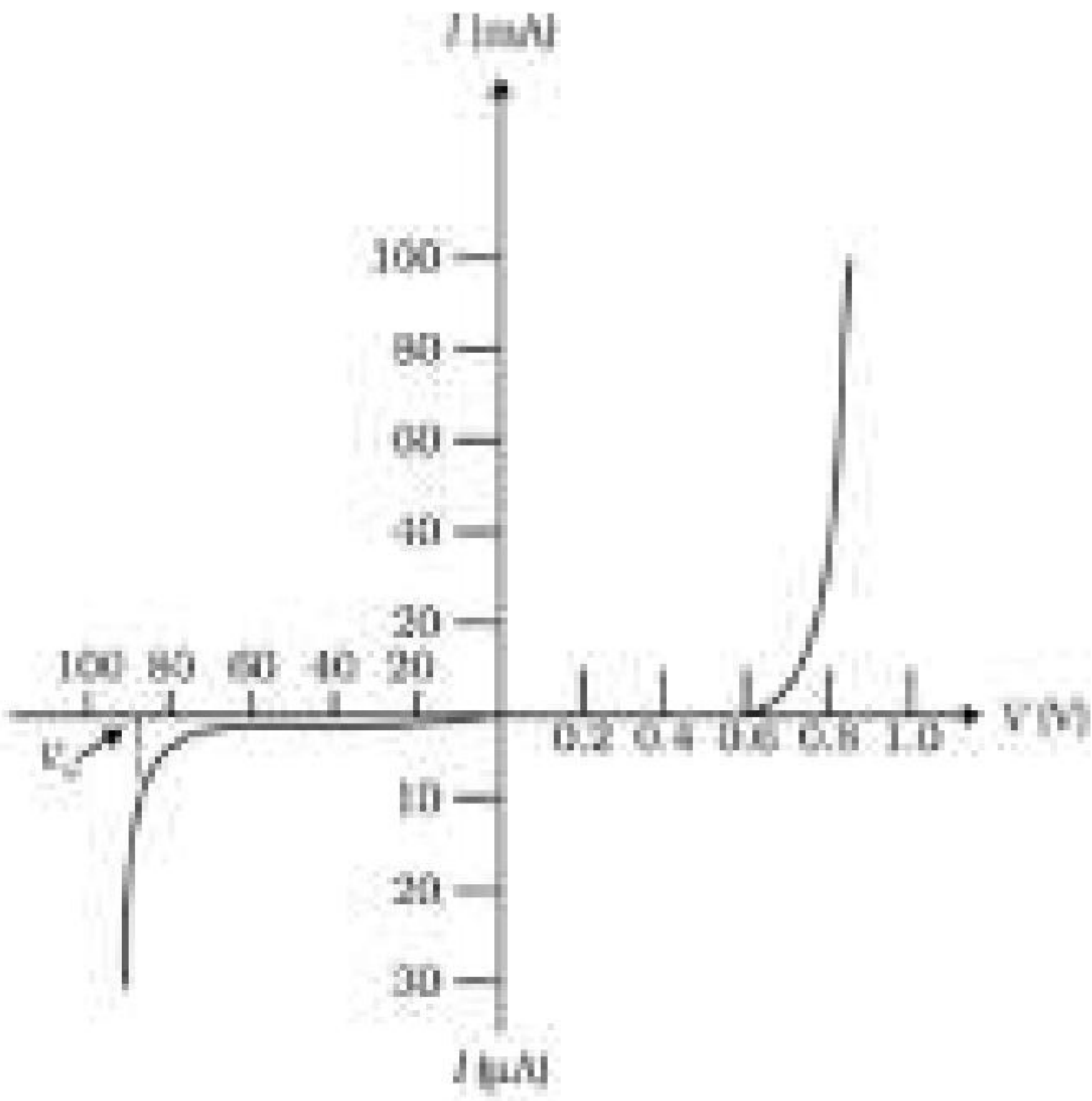
Substituting these in equation, we get

$$\frac{n_2}{v} - \frac{n_1}{u} = \frac{n_2 - n_1}{R}$$

7.	a) Obtaining Bohr's second postulate from de-Broglie hypothesis	2
	b) Identification of transition of electron	$\frac{1}{2} + \frac{1}{2}$



<p>a)</p>	 <p>For an electron moving in <math>n^{\text{th}}</math> circular orbit of radius <math>r_n</math>, the total distance is circumference of the orbit.</p> <p>Thus <math>2\pi r_n = n\lambda</math> (1) where <math>n = 1, 2, 3, \dots</math></p> <p><math>\lambda</math> is de-broglie wavelength associated with the electron in the <math>n^{\text{th}}</math> orbit.</p> <p>Now <math>\lambda = \frac{h}{p} = \frac{h}{mv_n}</math> (2)</p> <p>From equation (1) and (2)</p> $2\pi r_n = \frac{nh}{mv_n}$ $mv_n r_n = \frac{nh}{2\pi}$ <p>Which is quantum condition proposed by Bohr for the angular momentum of the electron.</p> <p>b) For Balmer series of hydrogen spectrum</p> $\frac{1}{\lambda} = R \left( \frac{1}{2^2} - \frac{1}{n^2} \right)$ <p>(i) For maximum wavelength : transition of electron is from <math>n = 3</math> to <math>n=2</math></p> <p>(ii) For minimum wavelength: transition of electron is from <math>n = \infty</math> to <math>n=2</math></p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p>3</p>						
<p>8.</p>	<table border="1" data-bbox="338 1609 1542 1833"> <tr> <td>a) Ratio of de- Broglie wavelengths and justification</td> <td><math>\frac{1}{2} + \frac{1}{2}</math></td> </tr> <tr> <td>b) Identification of wavelengths and its justification</td> <td><math>\frac{1}{2} + \frac{1}{2}</math></td> </tr> <tr> <td>Calculation of threshold frequency</td> <td>1</td> </tr> </table> <p>a) de- Broglie wavelength , <math>\lambda = \frac{h}{mv}</math></p> $\frac{\lambda_\alpha}{\lambda_p} = \frac{m_p}{m_\alpha}$ <p>As, <math>m_\alpha &gt; m_p \Rightarrow \lambda_p &gt; \lambda_\alpha</math></p> <p>b) For photoelectric emission wavelength of radiation must be lesser than the threshold wavelength.</p> <p>Thus lights of wavelength 430 nm and 450 nm can cause photoelectric emission</p> <p>Threshold frequency (<math>\nu_o</math>)</p> $\nu_o = \frac{c}{\lambda_o} = \frac{3 \times 10^8}{600 \times 10^{-9}} = 5 \times 10^{14} \text{ Hz}$	a) Ratio of de- Broglie wavelengths and justification	$\frac{1}{2} + \frac{1}{2}$	b) Identification of wavelengths and its justification	$\frac{1}{2} + \frac{1}{2}$	Calculation of threshold frequency	1	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p>3</p>
a) Ratio of de- Broglie wavelengths and justification	$\frac{1}{2} + \frac{1}{2}$								
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Calculation of threshold frequency	1								
<p>9.</p>	<table border="1" data-bbox="217 2439 1632 2595"> <tr> <td>V-I characteristics of p-n junction</td> <td>1</td> </tr> <tr> <td>a) Explanation of independency of reverse bias current on breakdown voltage</td> <td>1</td> </tr> <tr> <td>b) Explanation of sudden increase in current at breakdown voltage</td> <td>1</td> </tr> </table>	V-I characteristics of p-n junction	1	a) Explanation of independency of reverse bias current on breakdown voltage	1	b) Explanation of sudden increase in current at breakdown voltage	1		
V-I characteristics of p-n junction	1								
a) Explanation of independency of reverse bias current on breakdown voltage	1								
b) Explanation of sudden increase in current at breakdown voltage	1								

											
	<p>a) As the applied voltage increases minority charge carrier concentration will not increase. So, it is independent of applied voltage.</p> <p>a) At the breakdown voltage, a large number of covalent bonds break, resulting in the increase of large number of charge carriers. Hence current increases suddenly.</p>	1									
		1	3								
10.	<table border="1" data-bbox="302 1181 1612 1320"> <tbody> <tr> <td>(a) Determination of the type of reaction</td> <td>2</td> </tr> <tr> <td>(b) Ratio of nuclear density of <math>^{30}_{15}\text{P}</math> &amp; <math>^{14}_7\text{N}</math></td> <td>1</td> </tr> </tbody> </table> <p>(a) Mass of the products = <math>19.992439 + 4.002603</math>  = <math>23.995042 \text{ u}</math></p> <p>Mass of the reactant = <math>(2 \times 12.000000) \text{ u}</math>  = <math>24.000000 \text{ u}</math></p> <p>As the mass of the reactants is more than the mass of the products, the reaction is exothermic.</p> <p>(b) 1:1</p>	(a) Determination of the type of reaction	2	(b) Ratio of nuclear density of $^{30}_{15}\text{P}$ & $^{14}_7\text{N}$	1	$\frac{1}{2}$					
(a) Determination of the type of reaction	2										
(b) Ratio of nuclear density of $^{30}_{15}\text{P}$ & $^{14}_7\text{N}$	1										
		$\frac{1}{2}$	$\frac{1}{2} + \frac{1}{2}$								
		1	3								
11.	<table border="1" data-bbox="302 1849 1612 2066"> <tbody> <tr> <td>Formation of barrier potential</td> <td>1</td> </tr> <tr> <td>Effect on barrier potential under</td> <td></td> </tr> <tr> <td>(a) Forward bias</td> <td>1</td> </tr> <tr> <td>(b) Reverse bias</td> <td>1</td> </tr> </tbody> </table> <p>In a p-n-junction diode, the loss of electrons from the n- region and the gain of electrons by the p-region causes a difference of potential across the junction of the two regions. This potential tends to prevent the movement of electrons from the n region to the p region. Hence a potential barrier is created across the junction.</p> <p>(a) In forward bias, the barrier potential is reduced.</p> <p>(b) In reverse bias, the barrier potential increases.</p>	Formation of barrier potential	1	Effect on barrier potential under		(a) Forward bias	1	(b) Reverse bias	1	1	
Formation of barrier potential	1										
Effect on barrier potential under											
(a) Forward bias	1										
(b) Reverse bias	1										
		1	3								
		1	3								
	<b>Section - C</b>										
12.	<p>a) (ii)</p> <p>b) (iv)</p> <p>c) (ii)</p> <p>d) (ii)</p> <p>e) (iv)</p>	1									
		1									
		1									
		1									
		1									
		1	5								