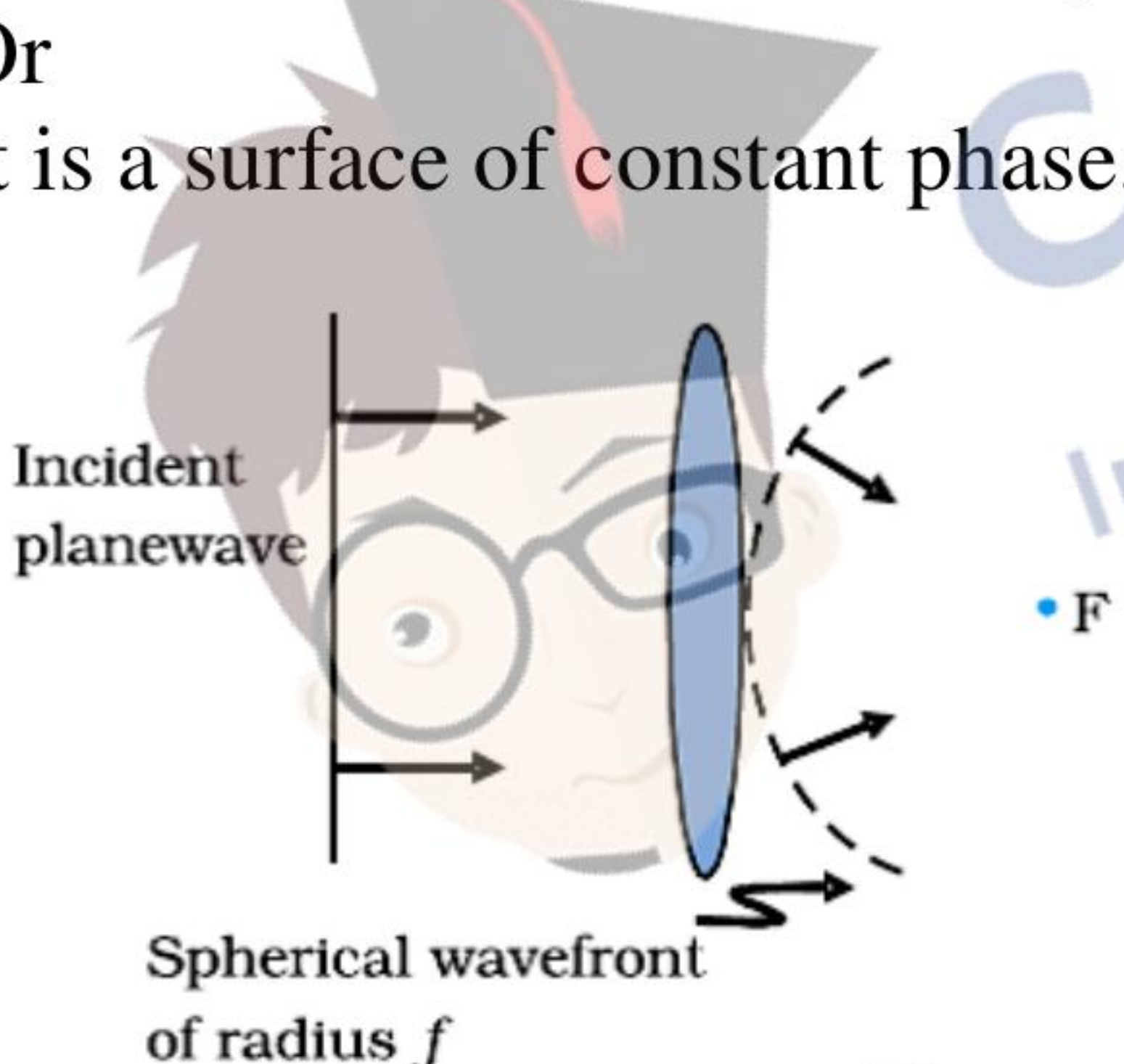
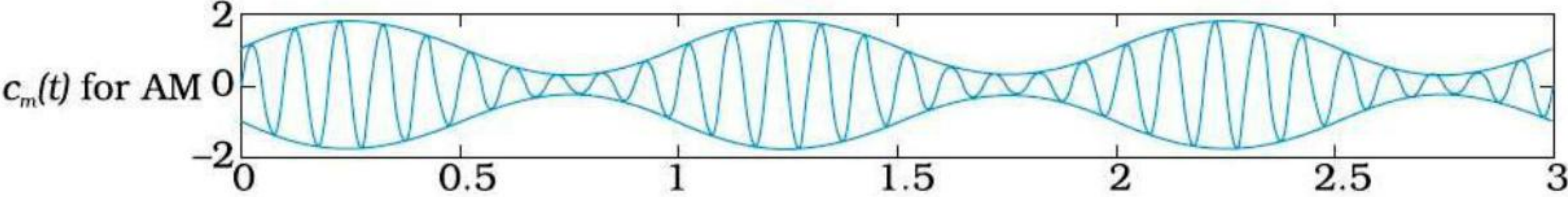
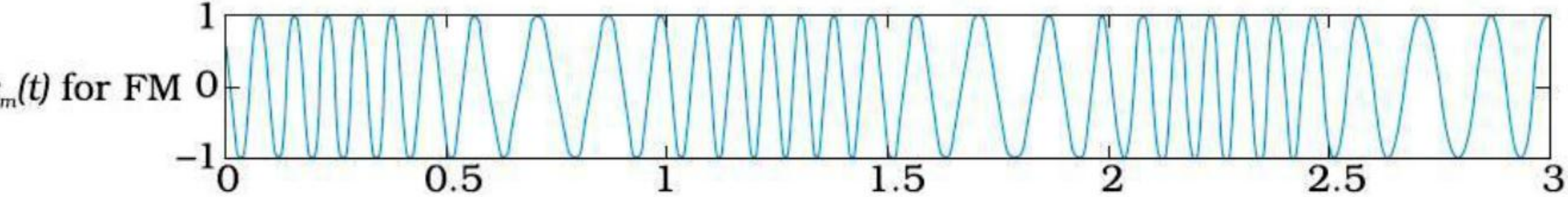
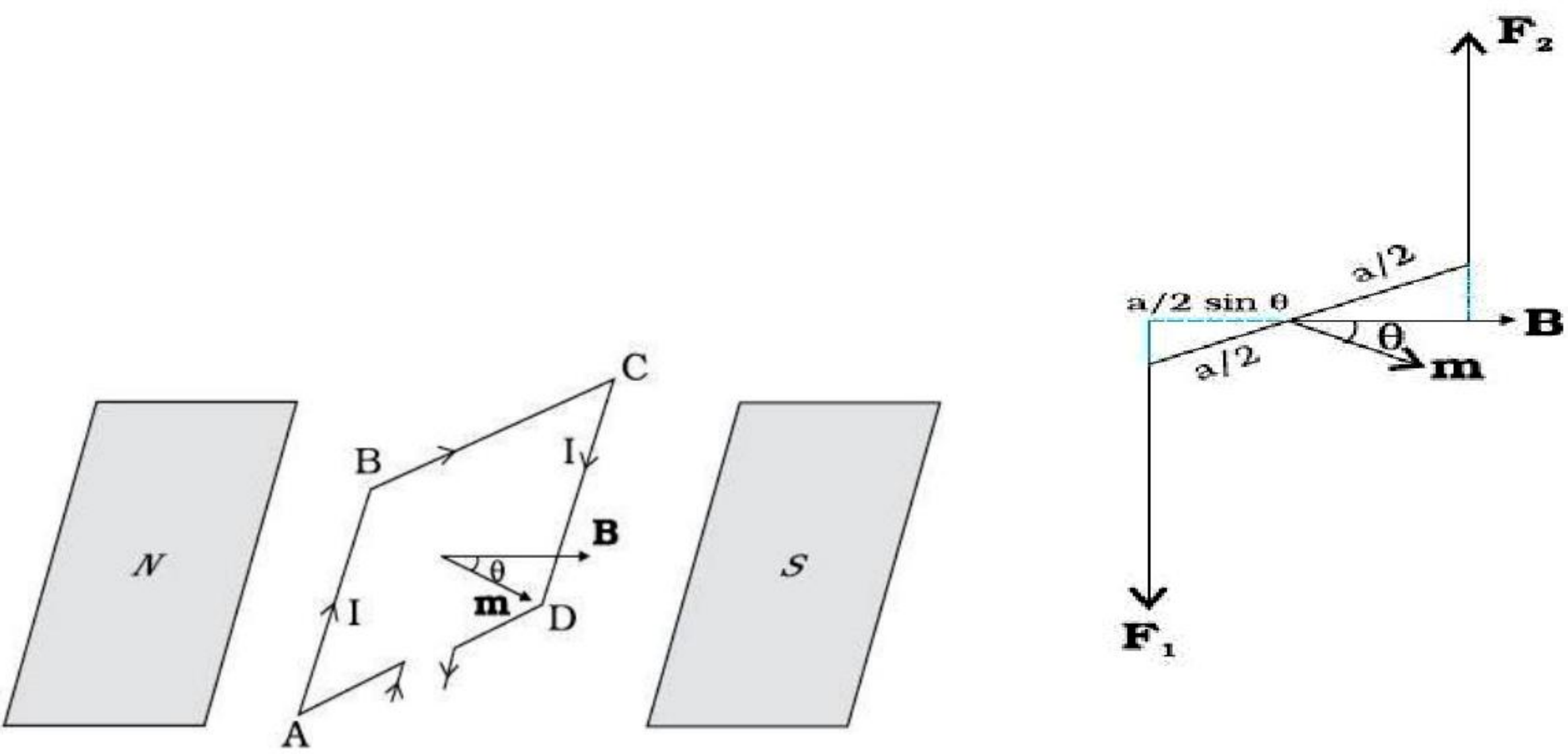


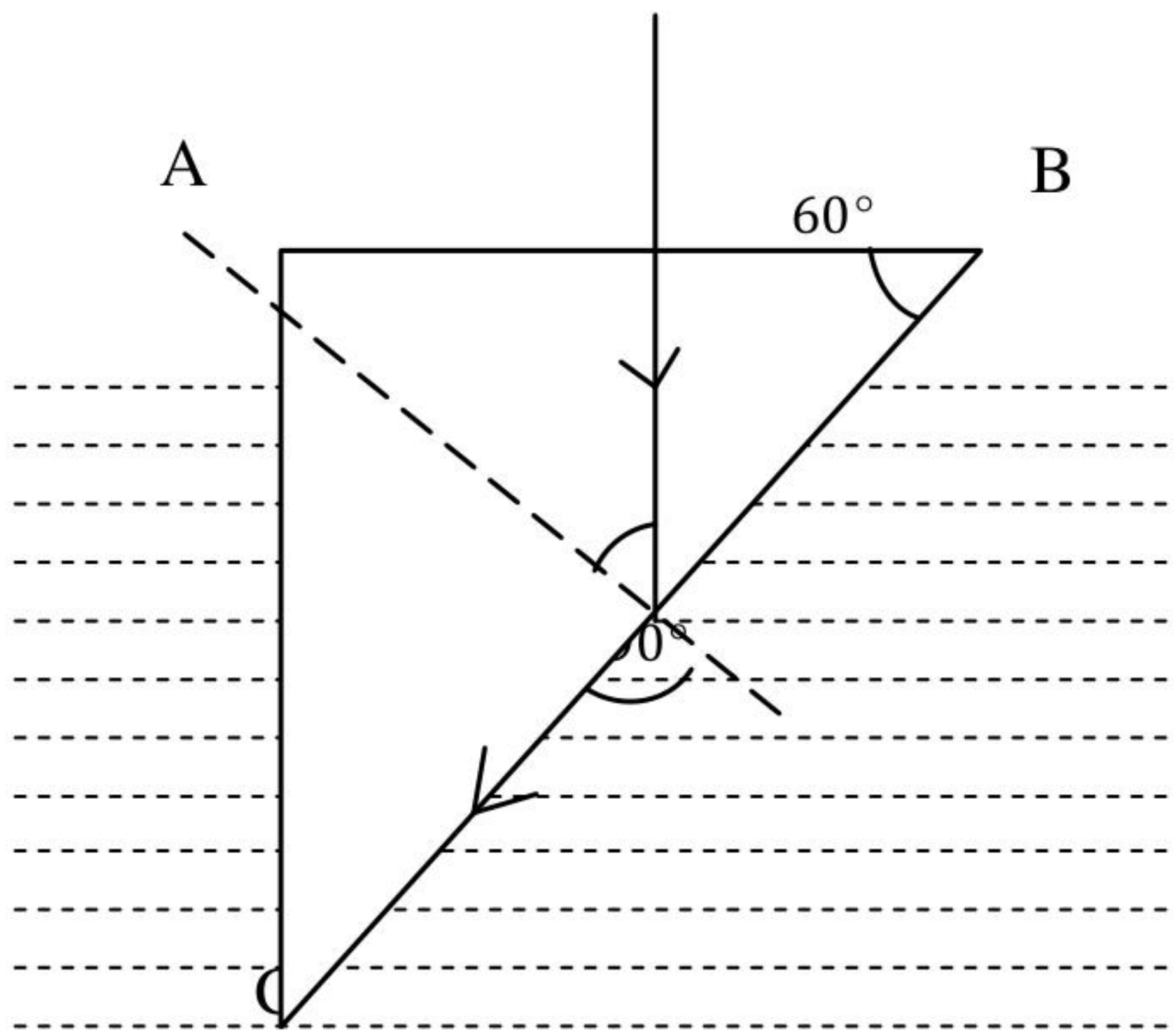
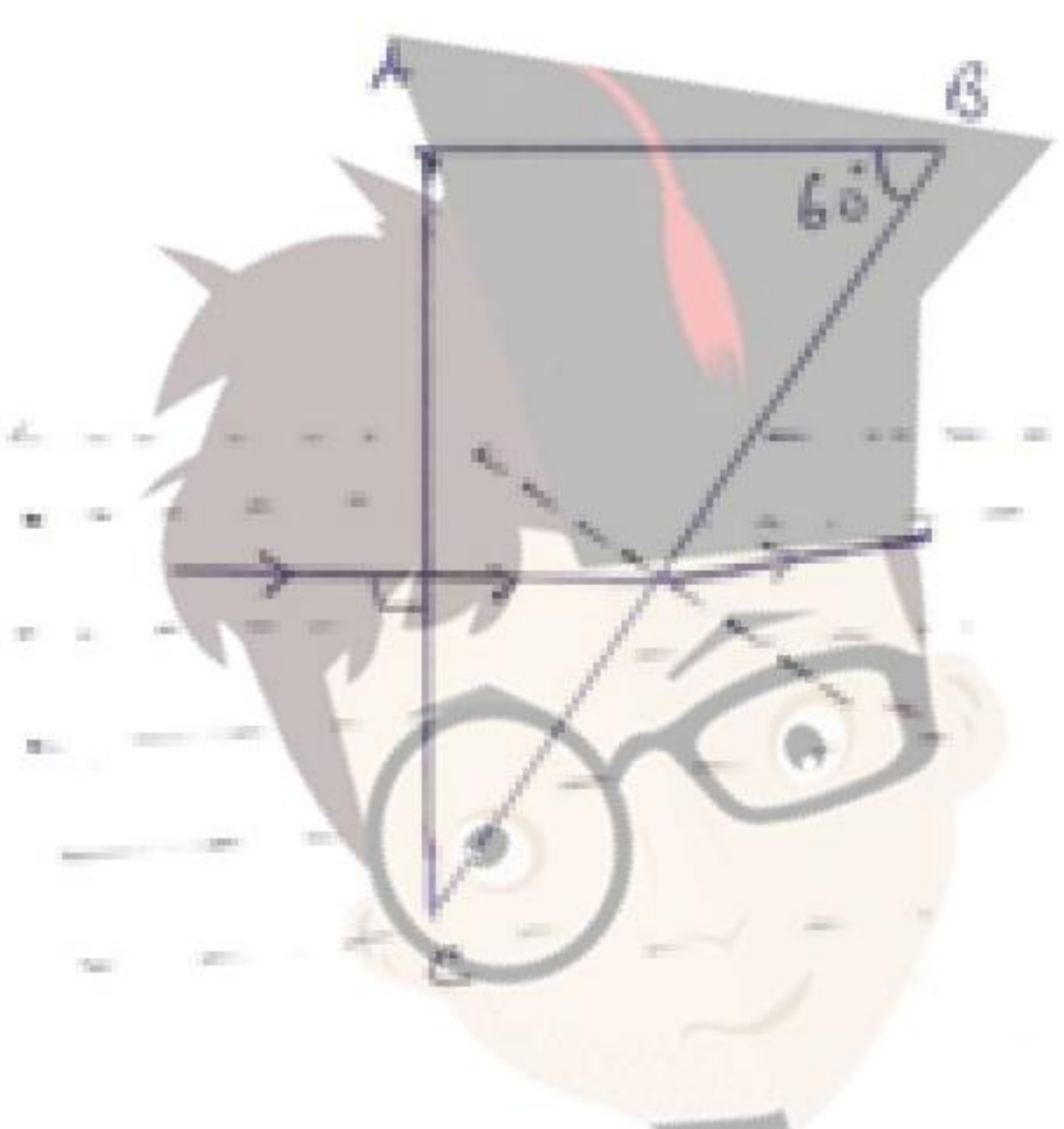
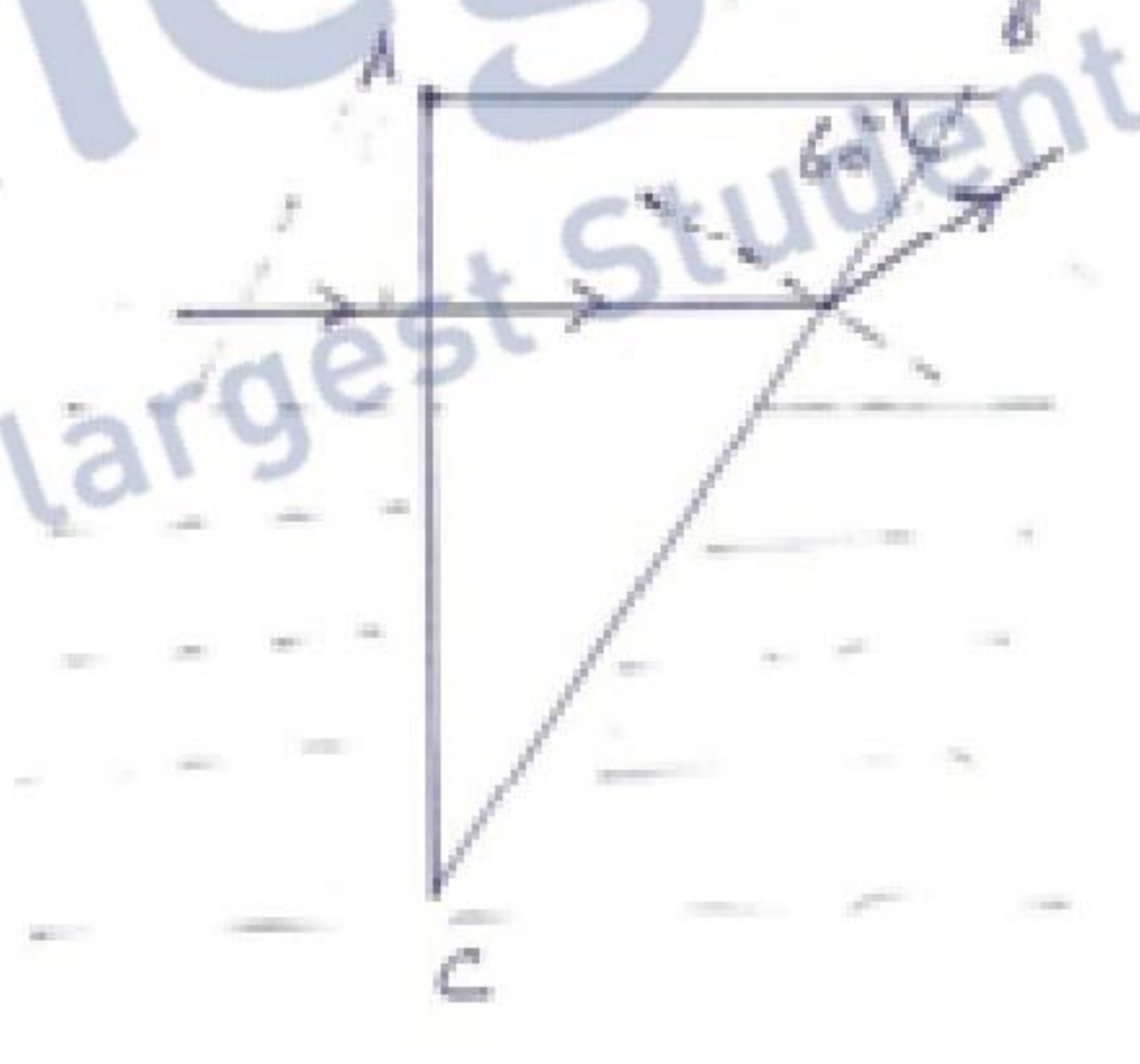
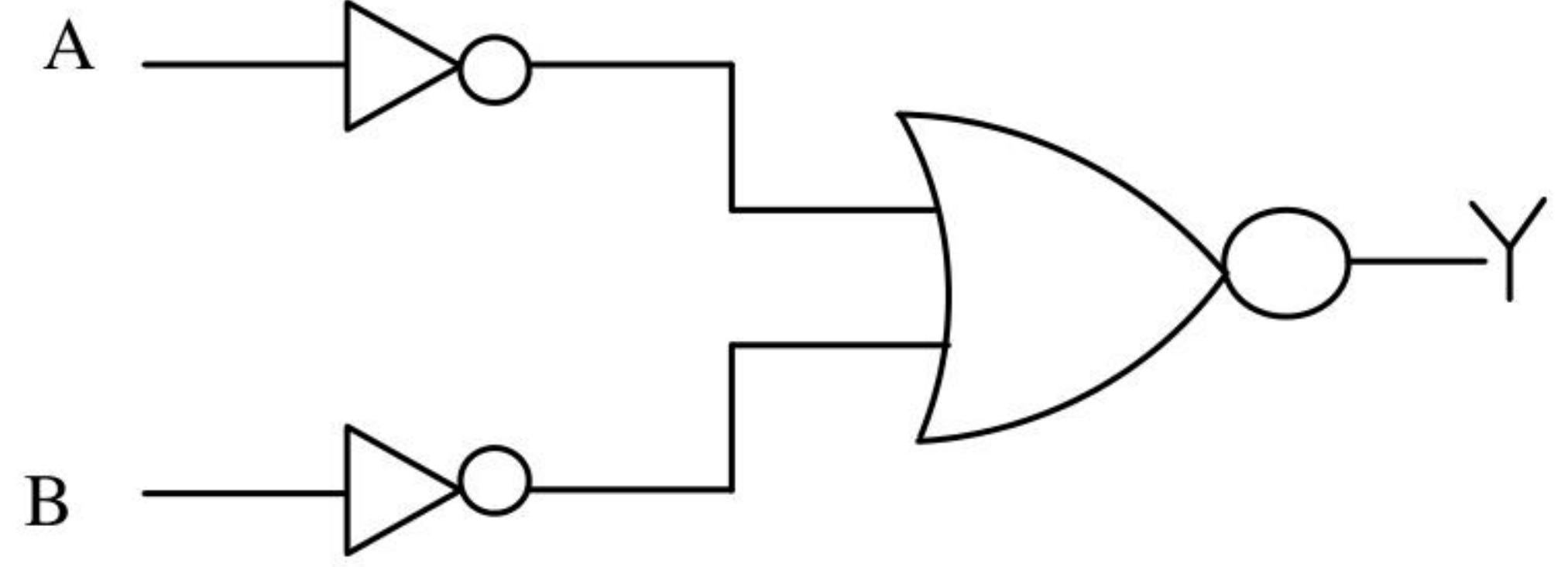


Set -1, Q7 Set- 2,Q10 Set-3, Q8	<table border="1"> <tr> <td>de Broglie Relation</td> <td>1/2</td> </tr> <tr> <td>Dependence of <math>\lambda</math> on <math>n</math></td> <td>1</td> </tr> </table>	de Broglie Relation	1/2	Dependence of $\lambda$ on $n$	1		
de Broglie Relation	1/2						
Dependence of $\lambda$ on $n$	1						
	<p>de Broglie wavelength <math>\lambda = \frac{h}{mv}</math>  <math>\therefore \lambda \propto \frac{1}{v}</math> ; <math>v \propto \frac{1}{n}</math>  <math>\therefore \lambda \propto n</math>  <math>\therefore</math> de Broglie wavelength will increase</p> <p style="text-align: center;"><b>Alternative method</b></p> <p>As <math>2\pi r_n = n\lambda</math> ; <math>\lambda = \frac{2\pi r_n}{n}</math> (<math>\lambda \propto \frac{r_n}{n}</math>)  <math>r_n \propto n^2</math>  <math>\therefore \lambda \propto \frac{n^2}{n} \Rightarrow \lambda \propto n</math>  <math>\therefore</math> de Broglie wavelength will increase</p> <p>(Note: Accept any other alternative method)</p>	<p>1/2 1 1/2</p> <p>1 1/2 1/2</p>	<p>2</p> <p>2</p>				
Set -1, Q8 Set- 2,Q6 Set-3, Q9	<table border="1"> <tr> <td>Definition of Wave front</td> <td>1</td> </tr> <tr> <td>Diagram</td> <td>1</td> </tr> </table>	Definition of Wave front	1	Diagram	1		
Definition of Wave front	1						
Diagram	1						
	<p><u>Wave front</u> : It is the locus of points which oscillate in phase.  Or  It is a surface of constant phase.</p>  <p style="text-align: center;"><b>Or</b></p>	<p>1</p> <p>1</p>	<p>2</p>				
	<table border="1"> <tr> <td>a) Characteristics &amp; reason</td> <td>1/2+1/2</td> </tr> <tr> <td>b) Ratio of Velocity</td> <td>1</td> </tr> </table>	a) Characteristics & reason	1/2+1/2	b) Ratio of Velocity	1		
a) Characteristics & reason	1/2+1/2						
b) Ratio of Velocity	1						
	<p>a) Frequency does not change, as frequency is a characteristic of the source of waves.  <b>(Alternatively: <math>\frac{v_1}{\lambda_1} = \frac{v_2}{\lambda_2} = n</math>)</b></p> <p>b) The ratio of velocities of wave in two media of refractive indices <math>\mu_1</math> and <math>\mu_2</math> is <math>\frac{\mu_2}{\mu_1}</math>.  <b>(Alternatively: <math>\frac{v_1}{v_2} = \frac{\mu_1}{\mu_2}</math>)</b></p>	<p>1/2+1/2</p> <p>1</p>	<p>2</p>				



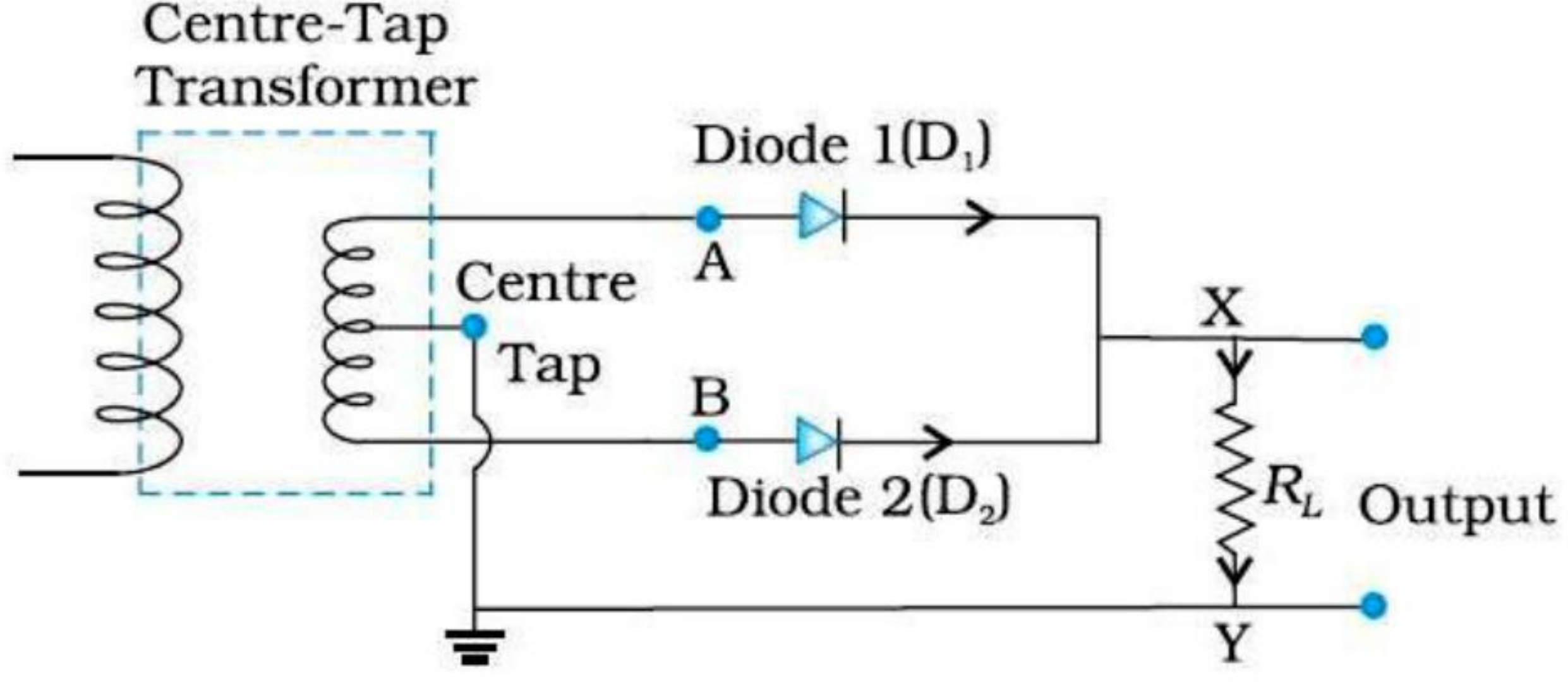
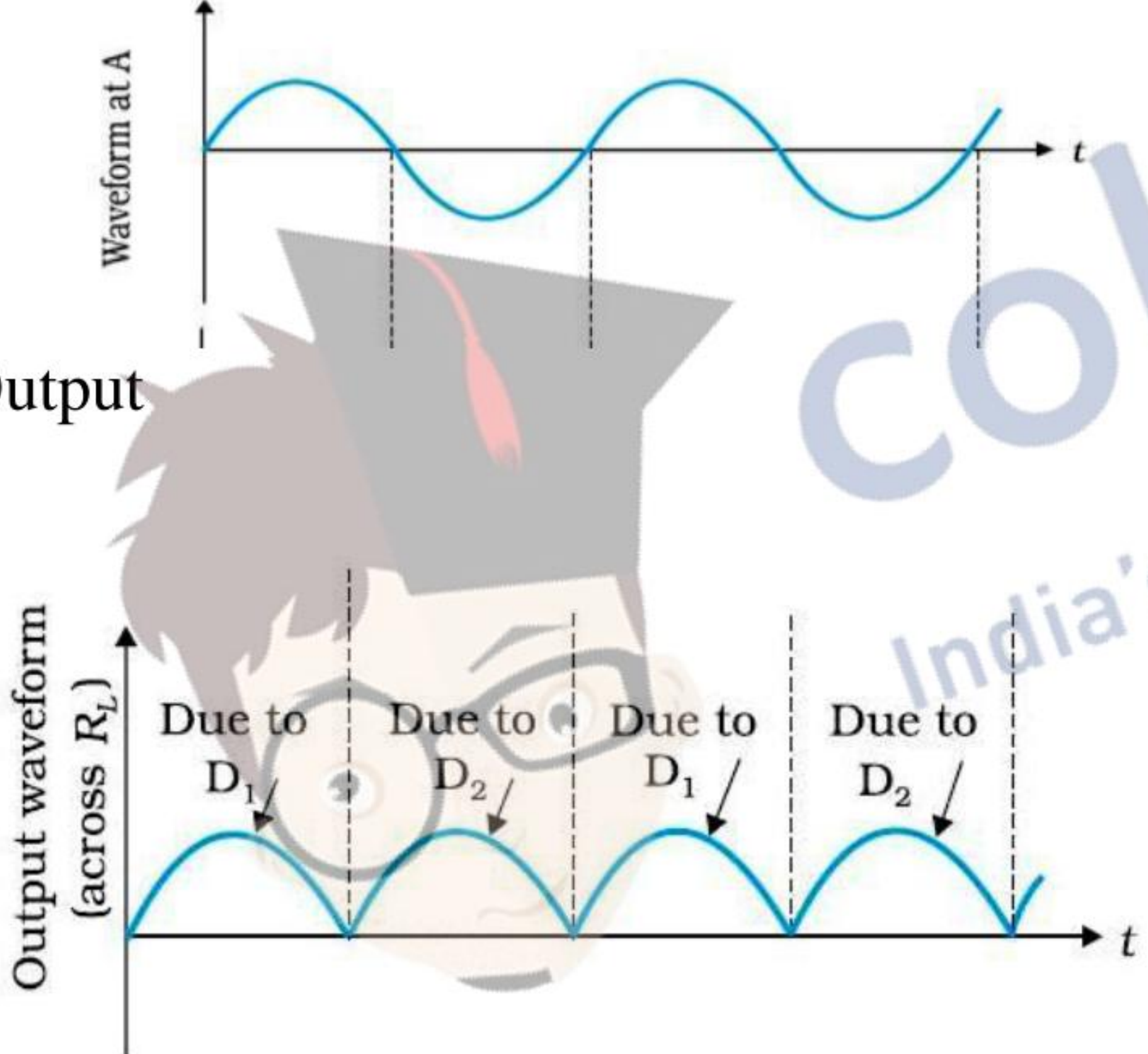
Set -1, Q9 Set- 2,Q8 Set-3, Q7	<div style="border: 1px solid black; padding: 5px;"> Diagrams of AM and FM <span style="float: right;">1</span>  Reason <span style="float: right;">1</span> </div>		
	  <p><u>Why FM is preferred over AM'?</u></p> <p>Low noise/ disturbance// reduced channel interference// more power can be transmitted// high fidelity. (Any one reason)</p>	1/2  1/2  1	2
Set -1,Q10 Set- 2,Q9 Set-3, Q6	<div style="border: 1px solid black; padding: 5px;"> Formula <span style="float: right;">1/2</span>  Calculation &amp; result <span style="float: right;">1 1/2</span> </div>		
	Distance of the closest approach $r_o = \frac{1}{4\pi\epsilon_0} \cdot \frac{2ze^2}{E_\infty}$ $= \frac{2 \times 9 \times 10^9 \times 80 \times (1.6 \times 10^{-19})^2}{4.5 \times 10^6 \times 1.6 \times 10^{-19}}$ $= 5.12 \times 10^{-14} m$	1/2  1  1/2	2
<b>Section – C</b>			
Set -1,Q11 Set- 2,Q20 Set-3, Q15	<div style="border: 1px solid black; padding: 5px;"> Diagram <span style="float: right;">1/2</span>  Force on each arm <span style="float: right;">1/2</span>  Calculation of moment of couple <span style="float: right;">1</span>  Orientation in stable equilibrium <span style="float: right;">1</span> </div>		

	 <p>Force on each perpendicular arm  <math>F_1 = F_2 = I b B</math></p> <p>Moment of couple = <math>I b B . a \sin \theta</math>  <math>\tau = I a b B \sin \theta</math>  <math>\tau = I A B \sin \theta \quad \vec{\tau} = I \vec{A} \times \vec{B}</math></p> <p>When the plane of the loop is perpendicular to the magnetic field, the loop will be in stable equilibrium (<math>\vec{A} \parallel \vec{B}</math>), <math>\Rightarrow \theta = 0^\circ</math>        (If the student follows the following approach, award <math>\frac{1}{2}</math> marks only)  <math>\vec{M}</math> = Equivalent magnetic moment of the planer loop = <math>I \vec{A}</math>  <math>\therefore</math> Torque = <math>\vec{M} \times \vec{B} = I \vec{A} \times \vec{B}</math>  <math> Torque  = I A B \sin \theta</math></p>	<p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p>1 <math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p>3</p>						
<p>Set -1,Q12            Set- 2,Q21            Set-3, Q16</p>	<table border="1" data-bbox="346 1573 1648 1745"> <tbody> <tr> <td>Production of em waves</td> <td>1</td> </tr> <tr> <td>Source of energy</td> <td>1</td> </tr> <tr> <td>Identification</td> <td><math>\frac{1}{2} + \frac{1}{2}</math></td> </tr> </tbody> </table> <p>Electromagnetic waves are produced by accelerated / oscillating charges which produces oscillating electric field and magnetic field (which regenerate each other).            Source of the Energy: Energy of the accelerated charge. (or the source that accelerates the charges)            Identification:            (1) Infra red radiation            (2) X - rays</p>	Production of em waves	1	Source of energy	1	Identification	$\frac{1}{2} + \frac{1}{2}$	<p>1</p> <p>1</p> <p><math>\frac{1}{2}</math> <math>\frac{1}{2}</math></p>	<p>3</p>
Production of em waves	1								
Source of energy	1								
Identification	$\frac{1}{2} + \frac{1}{2}$								
<p>Set -1,Q13            Set- 2,Q22            Set-3, Q17</p>	<table border="1" data-bbox="346 2226 1512 2410"> <tbody> <tr> <td>a) To draw path of light ray in prism</td> <td><math>\frac{1}{2}</math></td> </tr> <tr> <td>Formula and calculation of refractive index of liquid</td> <td><math>1\frac{1}{2}</math></td> </tr> <tr> <td>b) Tracing the path of the ray</td> <td>1</td> </tr> </tbody> </table>	a) To draw path of light ray in prism	$\frac{1}{2}$	Formula and calculation of refractive index of liquid	$1\frac{1}{2}$	b) Tracing the path of the ray	1		
a) To draw path of light ray in prism	$\frac{1}{2}$								
Formula and calculation of refractive index of liquid	$1\frac{1}{2}$								
b) Tracing the path of the ray	1								

	<p>a)</p>  $\sin i_c = \frac{1}{\mu_{mg}} = \frac{\mu_m}{\mu_g}$ <p>⇒ <math>\mu_m = \mu_g \sin i_c</math>  <math>= 1.5 \times \frac{\sqrt{3}}{2} \quad (i_c = 60^\circ)</math>  <math>= 1.299 \approx 1.3</math></p> <p>(b)</p>  <p><b>Alternatively</b></p> 	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>							
<p>Set -1, Q14  Set- 2, Q16  Set-3, Q18</p>	<table border="1"> <tr> <td>Logic circuit –</td> <td>1</td> </tr> <tr> <td>Truth Table -</td> <td>1</td> </tr> <tr> <td>Identification -</td> <td>1</td> </tr> </table> <p>To draw the logic circuit</p> 	Logic circuit –	1	Truth Table -	1	Identification -	1	<p>1</p>	
Logic circuit –	1								
Truth Table -	1								
Identification -	1								

	<p>Truth Table</p> <table border="1" data-bbox="348 388 548 635"> <thead> <tr> <th>A</th> <th>B</th> <th>Y</th> </tr> </thead> <tbody> <tr> <td>0</td> <td>0</td> <td>0</td> </tr> <tr> <td>1</td> <td>0</td> <td>0</td> </tr> <tr> <td>0</td> <td>1</td> <td>0</td> </tr> <tr> <td>1</td> <td>1</td> <td>1</td> </tr> </tbody> </table> <p>Identification : AND gate</p> <p style="text-align: center;"><b>Or</b></p> <table border="1" data-bbox="348 863 1646 1086"> <tr> <td>Identification of logic operation in circuit (a) &amp; (b)</td> <td><math>\frac{1}{2}+\frac{1}{2}</math></td> </tr> <tr> <td>Truth table for circuit (a) &amp; (b)</td> <td><math>\frac{1}{2}+\frac{1}{2}</math></td> </tr> <tr> <td>Identification of equivalent gates</td> <td><math>\frac{1}{2}+\frac{1}{2}</math></td> </tr> </table> <p>Logic Operation a) <math>Y = A.B</math> b) <math>Y = A+B</math></p> <p>Truth Table</p> <p>a)</p> <table border="1" data-bbox="443 1397 642 1644"> <thead> <tr> <th>A</th> <th>B</th> <th>Y</th> </tr> </thead> <tbody> <tr> <td>0</td> <td>0</td> <td>0</td> </tr> <tr> <td>1</td> <td>0</td> <td>0</td> </tr> <tr> <td>0</td> <td>1</td> <td>0</td> </tr> <tr> <td>1</td> <td>1</td> <td>1</td> </tr> </tbody> </table> <p>b)</p> <table border="1" data-bbox="443 1745 642 1991"> <thead> <tr> <th>A</th> <th>B</th> <th>Y</th> </tr> </thead> <tbody> <tr> <td>0</td> <td>0</td> <td>0</td> </tr> <tr> <td>1</td> <td>0</td> <td>1</td> </tr> <tr> <td>0</td> <td>1</td> <td>1</td> </tr> <tr> <td>1</td> <td>1</td> <td>1</td> </tr> </tbody> </table> <p>Identification a) AND gate b) OR gate</p>	A	B	Y	0	0	0	1	0	0	0	1	0	1	1	1	Identification of logic operation in circuit (a) & (b)	$\frac{1}{2}+\frac{1}{2}$	Truth table for circuit (a) & (b)	$\frac{1}{2}+\frac{1}{2}$	Identification of equivalent gates	$\frac{1}{2}+\frac{1}{2}$	A	B	Y	0	0	0	1	0	0	0	1	0	1	1	1	A	B	Y	0	0	0	1	0	1	0	1	1	1	1	1	<p>1</p> <p>1</p> <p>3</p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p>3</p>	
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<p>Set -1,Q15 Set- 2,Q17 Set-3, Q11</p>	<table border="1" data-bbox="348 2228 1640 2451"> <tr> <td>Circuit diagram</td> <td>1</td> </tr> <tr> <td>Working</td> <td><math>\frac{1}{2}</math></td> </tr> <tr> <td>Wave forms and Input &amp; Output</td> <td><math>\frac{1}{2}+\frac{1}{2}</math></td> </tr> <tr> <td>Characteristic property</td> <td><math>\frac{1}{2}</math></td> </tr> </table>	Circuit diagram	1	Working	$\frac{1}{2}$	Wave forms and Input & Output	$\frac{1}{2}+\frac{1}{2}$	Characteristic property	$\frac{1}{2}$																																													
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Characteristic property	$\frac{1}{2}$																																																					



	<p>Circuit Diagram</p>  <p>Description of Working- During the positive half of input ac diode <math>D_1</math> get forward bias and <math>D_2</math>, reverse biased and during negative half of input ac, polarity get reversed, <math>D_2</math> get forward bias and <math>D_1</math> reverse bias. Hence, output is obtained across <math>R_L</math> during entire cycle of ac.</p> <p>Wave forms</p> <p>Input</p>  <p><b>Characteristic property</b></p> <p>Diode allows the current to pass only when it is forward based.</p>	<p>1</p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p> <p><math>\frac{1}{2}</math></p>	<p>3</p>				
<p>Set -1,Q16 Set- 2,Q18 Set-3, Q12</p>	<table border="1" data-bbox="352 2053 1629 2131"> <tr> <td>Explanation of (i), (ii) and (iii) with justification</td> <td>1×3</td> </tr> </table> <p>(i) Drift velocity will become half as <math>v_d \propto V</math>  (ii) Drift velocity will become half as <math>v_d \propto \frac{1}{L}</math>  (iii) Drift velocity will remain the same as <math>v_d</math> is independent of diameter (D).</p>	Explanation of (i), (ii) and (iii) with justification	1×3	<p><math>\frac{1}{2} + \frac{1}{2}</math> <math>\frac{1}{2} + \frac{1}{2}</math> <math>\frac{1}{2} + \frac{1}{2}</math></p>	<p>3</p>		
Explanation of (i), (ii) and (iii) with justification	1×3						
<p>Set -1,Q17 Set- 2,Q19 Set-3, Q13</p>	<table border="1" data-bbox="352 2368 1629 2510"> <tr> <td>Determination of magnetic field</td> <td>1½</td> </tr> <tr> <td>Determination of kinetic energy in MeV</td> <td>1½</td> </tr> </table>	Determination of magnetic field	1½	Determination of kinetic energy in MeV	1½		
Determination of magnetic field	1½						
Determination of kinetic energy in MeV	1½						

	<p>Magnetic field <math>B = 2\pi mv/q</math></p> $= \frac{2 \times 3.14 \times 1.67 \times 10^{-27} \times 10^7}{1.6 \times 10^{-19}} = 0.66T$ <p>Final velocity of proton <math>v = R \times 2\pi v = 0.6 \times 2 \times 3.14 \times 10^7</math>  <math>= 3.77 \times 10^7 m/s</math></p> <p>Energy <math>= \frac{1}{2}mv^2 = \frac{1}{2} \times 1.67 \times 10^{-27} \times (3.77 \times 10^7)^2 j</math>  <math>= 7.4 MeV</math></p>	<p>1/2</p> <p>1</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	3				
<p>Set -1,Q18 Set- 2,Q11 Set-3, Q14</p>	<table border="1"> <tbody> <tr> <td>a) Calculation of distance of third bright fringe</td> <td>1</td> </tr> <tr> <td>b) Calculation of distance from the central maxima</td> <td>2</td> </tr> </tbody> </table> <p>a) Distance of third bright fringe-<math>y_3 = \frac{n\lambda D}{d}</math></p> $= \frac{3 \times 520 \times 10^{-9} \times 1}{1.5 \times 10^{-3}}$ $= 1.04 \times 10^{-3} m \approx 1 mm$ <p>b) Let <math>n^{th}</math> maxima of <math>650nm</math> coincides with the <math>(n + 1)^{th}</math> maxima of <math>520nm</math></p> $\therefore n \times 650 \times 10^{-9} = (n + 1)520 \times 10^{-9}$ $\Rightarrow n = 4$ <p><math>\therefore</math> The least distance of the point is given by</p> $y = \frac{nD\lambda_1}{d}$ $= \frac{4 \times 1 \times 650 \times 10^{-9}}{1.5 \times 10^{-3}} m = 1.733 \times 10^{-3} m \approx 1.7mm$	a) Calculation of distance of third bright fringe	1	b) Calculation of distance from the central maxima	2	<p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1</p>	3
a) Calculation of distance of third bright fringe	1						
b) Calculation of distance from the central maxima	2						
<p>Set -1,Q19 Set- 2,Q12 Set-3, Q21</p>	<table border="1"> <tbody> <tr> <td>a) Pointing out and Reason of two processes</td> <td>1+1</td> </tr> <tr> <td>b) Identification of radioactive radiations</td> <td>1/2+1/2</td> </tr> </tbody> </table> <p>a) Nuclear fission of E to D and C; as there is a increase in binding energy per nucleon</p> <p>b) Nuclear fusion of A and B into C; as there is a increase in binding energy per nucleon</p> <p>b) First step - <math>\alpha</math> particle Second step - <math>\beta</math> particle</p>	a) Pointing out and Reason of two processes	1+1	b) Identification of radioactive radiations	1/2+1/2	<p>1/2 + 1/2</p> <p>1/2 + 1/2</p> <p>1/2</p> <p>1/2</p>	3
a) Pointing out and Reason of two processes	1+1						
b) Identification of radioactive radiations	1/2+1/2						

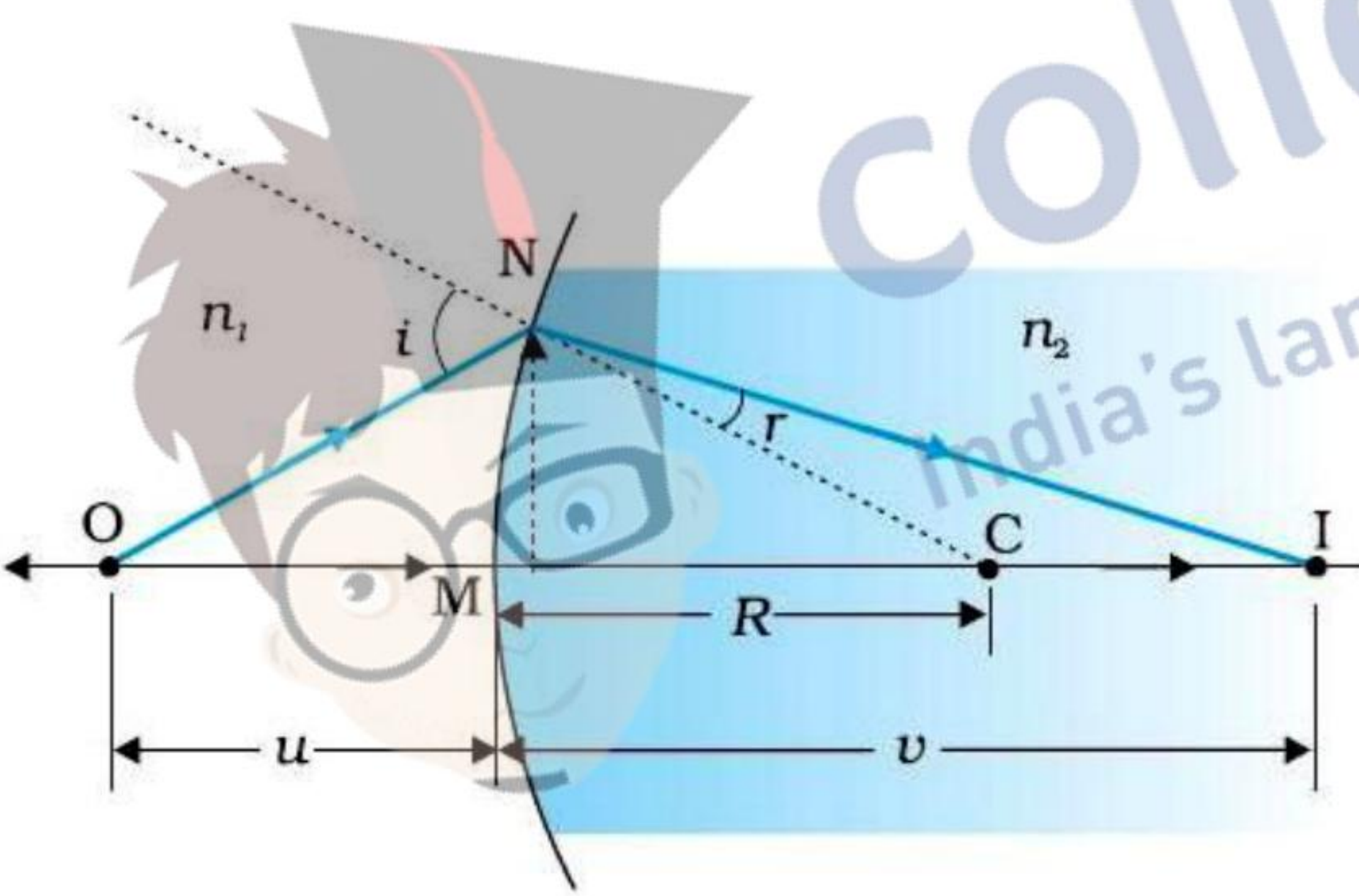




Set -1, Q20 Set- 2, Q13 Set-3, Q22	<div style="border: 1px solid black; padding: 5px;"> Three modes of propagation <span style="float: right;">1½</span>  Brief explanation of reflection by Ionosphere <span style="float: right;">1</span>  Effect of increased frequency range <span style="float: right;">½</span> </div>		
	Three modes of propagation i) Ground Waves ii) Sky Waves iii) Space Waves  Ionosphere acts as a reflector for the range of frequencies from few MHz to 30 MHz . The ionospheric layers bend the radio waves back to the Earth.  Waves of frequencies greater than 30 MHz penetrate the ionosphere and escape	½ ½ ½  1  ½	3
Set -1, Q21 Set- 2, Q14 Set-3, Q19	<div style="border: 1px solid black; padding: 5px;"> Definition of Stopping Potential and threshold frequency <span style="float: right;">1+1</span>  Determination using Einstein's Equation <span style="float: right;">1</span> </div>		
	Stopping Potential: The minimum negative potential applied to the anode/ plate for which photoelectric current become zero. Threshold frequency: The minimum (cut off) frequency of incident radiation, below which no emission of photoelectrons takes place. By Einstein's Equation $eV_0 = h\nu - \phi_0$ For any given frequency $\nu > \nu_0$ , $V_0$ can be determined. Stopping Potential $V_0 = \left(\frac{h}{e}\right) \nu - \frac{\phi_0}{e}$ as $\phi_0 = h\nu_0$ Threshold frequency, $V_0 = \frac{\phi_0}{h}$	1 1  ½  ½	3
Set -1, Q22 Set- 2, Q15 Set-3, Q20	<div style="border: 1px solid black; padding: 5px;"> Calculation of voltage across each capacitor in (a), (b) and (c) <span style="float: right;">1½</span>  Explanation with reason for the change/no change <span style="float: right;">1½</span> </div>		
	(a) $V_L = 3V$ $V_R = 3V$ (L: Left, R: Right) (b) $V_L = 6V$ $V_R = 3V$ (c) $V_L = 2V$ $V_R = 3V$ <u>Reasons</u> (a) No change – ( potential same on both capacitors as ( $V_L = V_R$ )) (b) Charge on left hand capacitor will decrease ( $V_L > V_R$ ) (c) Charge on left hand capacitor will increase ( $V_R > V_L$ )	½ ½ ½  ½ ½ ½	3

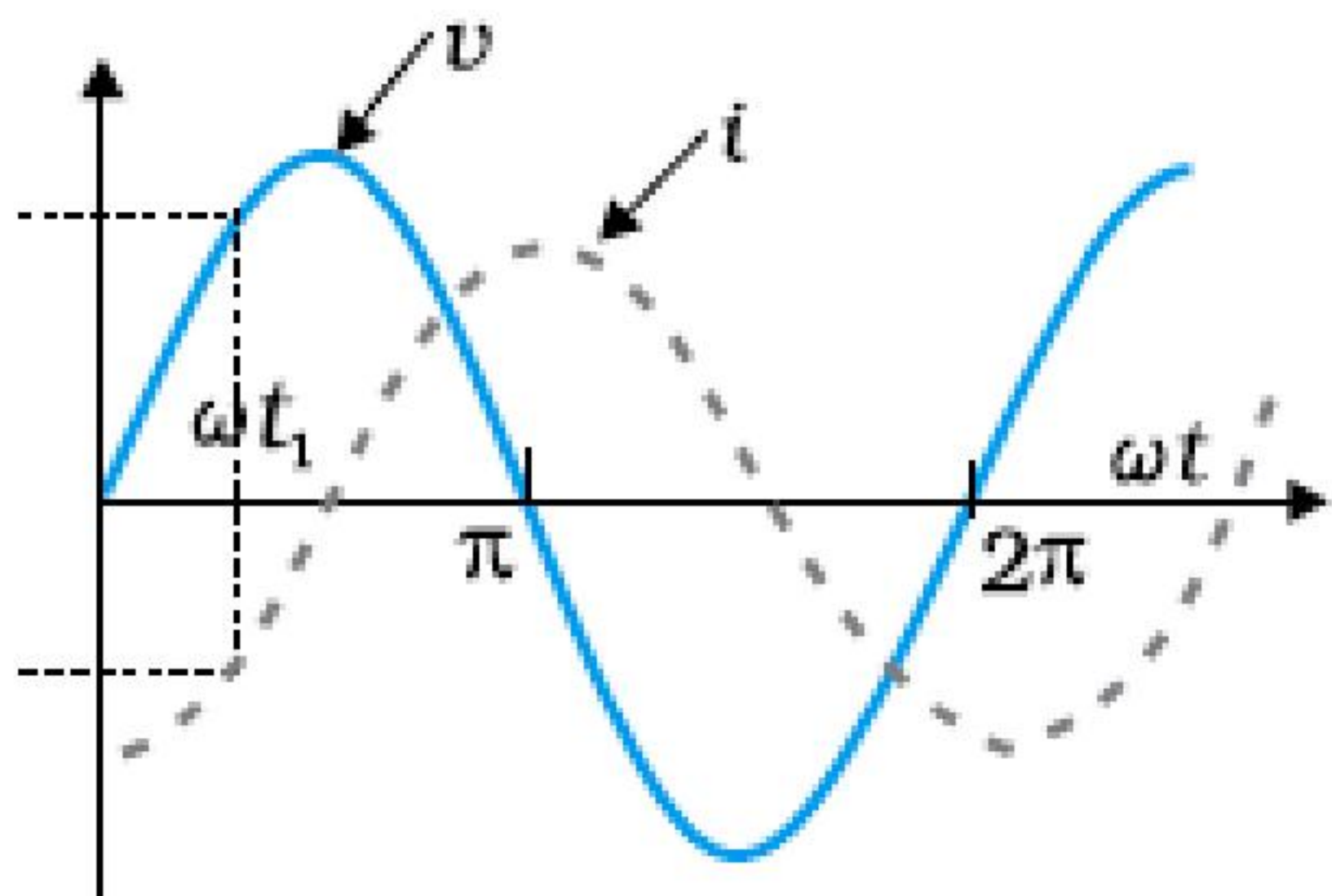
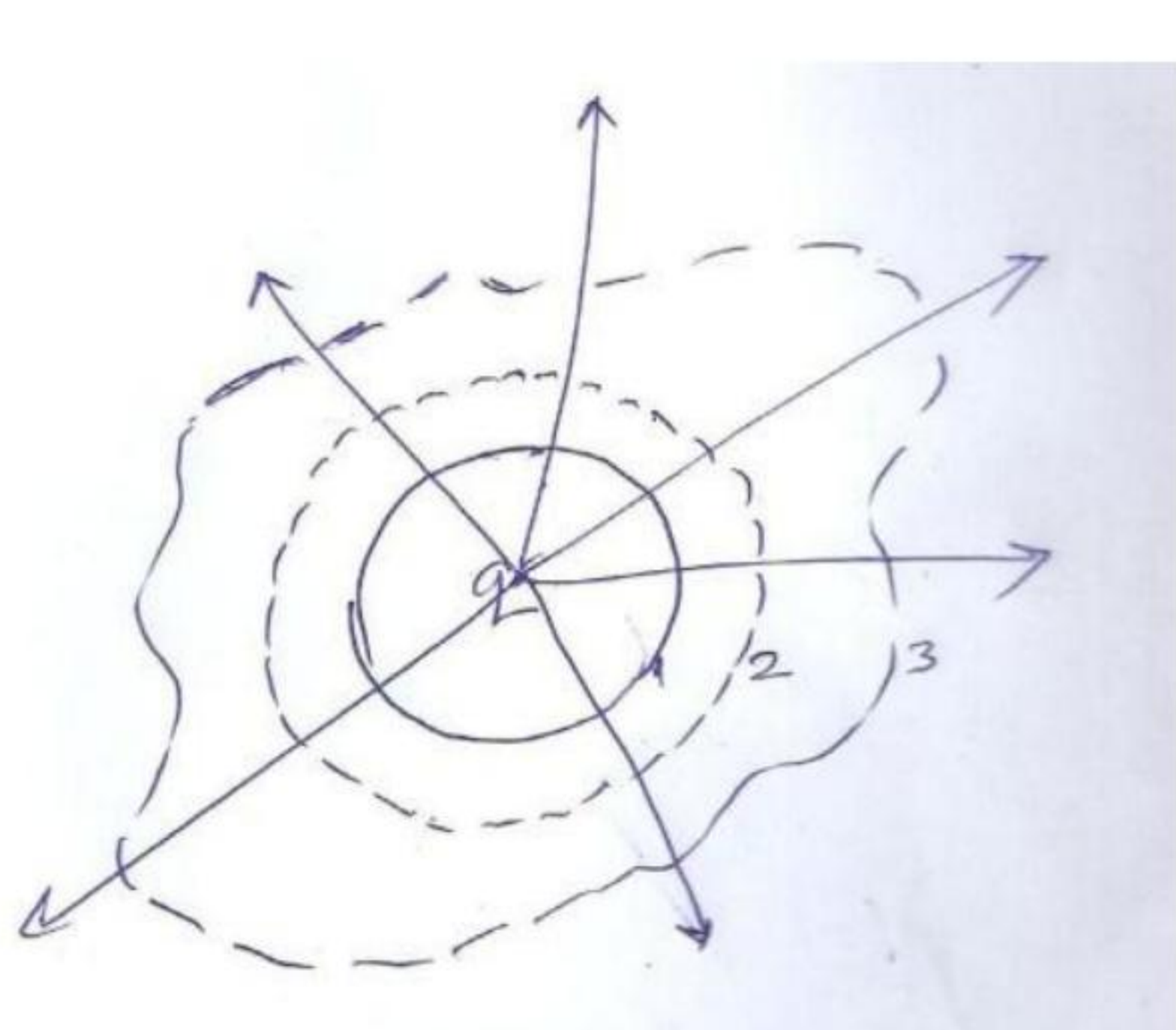
Set -1, Q23 Set- 2, Q23 Set-3, Q23	<p>(a) Naming the principle involved 1</p> <p>(b) Explanation 1</p> <p>(c) Two qualities 2</p>		
	(a) Metal detector works on the principle of resonance in ac circuits.	1	
	(b) When a person walks through the gate of a metal detector, the impedance of the circuit changes, resulting in significant change in current in the circuit that causes a sound to be emitted as an alarm.	1	
	(c) Two qualities		
	(i) Following the rules/regulations		
	(ii) Responsible citizen	1+1	4
	(iii) Scientific temperament		
	(iv) Knowledgable		
	(Any two)		

### Section - E

Set -1, Q24 Set- 2, Q26 Set-3, Q25	<p>(a) Drawing labeled ray diagram 1½</p> <p>(b) Deducing relation between u , v and R 2½</p> <p>(c) Obtaining condition for real image 1</p>		
	 <p>From the diagram :</p> $\angle i = \angle NOM + \angle NCM$ $\angle r = \angle NCM - \angle NIM$ <p>By Snell's law ,</p> $n_1 \sin i = n_2 \sin r$ <p>Substituting for i and r. and simplifying, we get</p> $\frac{n_1}{OM} + \frac{n_2}{MI} = \frac{n_2 - n_1}{MC}$ <p>Substituting values of OM , MI and MC</p> $\frac{n_2}{v} - \frac{n_1}{u} = \frac{n_2 - n_1}{R}$	1½	
		½	
		½	
		½	
		½	

	<p>(b)Condition for real image : <math>v</math> is positive</p> $\therefore \frac{n_2}{v} > 0$ <p>From the derived relation , we have <math>\frac{n_1}{ u } &lt; \frac{n_2 - n_1}{R}</math></p> $\therefore  u  > \frac{n_1 R}{n_2 - n_1}$ <p style="text-align: center;"><b>OR</b></p> <table border="1" style="width: 100%; border-collapse: collapse;"> <tr> <td style="padding: 2px;">(a) Ray diagram</td> <td style="text-align: right; padding: 2px;">1½</td> </tr> <tr> <td style="padding: 2px;">Derivation of expression for magnifying power</td> <td style="text-align: right; padding: 2px;">1½</td> </tr> <tr> <td style="padding: 2px;">(b) Effect on resolving power in each case; with justification</td> <td style="text-align: right; padding: 2px;">1+1</td> </tr> </table> <div style="text-align: center; margin: 10px 0;"> </div> <p>(Award 1 mark if the student draws the diagram for image at distance of distinct vision, deduct ½ mark for not showing the direction of Propogation of ray)</p> <p>Derivation:</p> <ul style="list-style-type: none"> <li>- Magnification due to objective           <math display="block">m_o = \frac{L}{f_o}</math> </li> <li>- Magnification due to eyelens           <math display="block">m_e = \frac{D}{f_e}</math> </li> <li>- Total magnification <math>m = m_o m_e</math> <math display="block">m_o = \frac{L}{f_o} \cdot \frac{D}{f_e}</math> </li> </ul> <p>(b) The resolving power of microscope</p> <p>(i) Will decrease with decrease of the diameter of objective lens as resolving power is directly proportional to the diameter</p>	(a) Ray diagram	1½	Derivation of expression for magnifying power	1½	(b) Effect on resolving power in each case; with justification	1+1	<p>½</p> <p>½</p> <p>1½</p> <p>½</p> <p>½</p> <p>1</p>	<p>5</p> <p>5</p>
(a) Ray diagram	1½								
Derivation of expression for magnifying power	1½								
(b) Effect on resolving power in each case; with justification	1+1								



	<p>Graph showing variation of voltage and current as function of <math>\omega t</math></p>  <p>Instantaneous power in LCR circuit:  <math>p = v \times i</math>  <math>= v_m \sin \omega t \times i_m \sin(\omega t + \phi)</math>  <math>p = \frac{v_m i_m}{2} [\cos \phi - \cos(2\omega t + \phi)]</math>  average power <math>P_{av} = \frac{v_m i_m}{2} \cos \phi</math>  <math>P_{av} = \frac{v_m}{\sqrt{2}} \frac{i_m}{\sqrt{2}} \cos \phi</math>  <math>P = V_{eff} I_{eff} \cos \phi</math></p>	<p>1+1</p> <p>1/2</p> <p>1/2</p> <p>1/2</p> <p>1/2</p>	<p>5</p>
<p>Set -1, Q26  Set- 2, Q25  Set-3, Q24</p>	<p>a) Statement of Gauss law  Explanation with diagram</p> <p>b) Magnitude and direction of net electric field in (i) and (ii)</p> <p>(a) Gauss Law: Electric flux through a closed surface is <math>\frac{1}{\epsilon_0}</math> times the total charge enclosed by the surface.  <b>Alternatively:</b> <math>\phi = \frac{1}{\epsilon_0} \cdot q</math>  The term q equals the sum of all charges enclosed by the surface and remain unchanged with the size and shape of the surface.  <b>Alternatively-</b> The total number of electric field lines emanating from the enclosed charge 'q' are same for all surfaces 1, 2 &amp; 3</p>  <p>(b) We have <math> E_1  = \frac{\sigma}{\epsilon_0}</math>; <math> E_2  = \frac{2\sigma}{\epsilon_0}</math>  (i) Between the plates  <math>E_{in} = E_1 + E_2</math></p>	<p>1</p> <p>1</p> <p>1 1/2 + 1 1/2</p> <p>1</p> <p>1/2</p> <p>1/2</p> <p>1</p>	



$$= \frac{\sigma}{2\epsilon_0} + \frac{2\sigma}{2\epsilon_0} = \frac{3\sigma}{2\epsilon_0}$$

(Directed towards sheet '2')

(ii) Outside near the sheet '1'

$$E_{out} = E_2 - E_1$$

$$= \frac{2\sigma}{2\epsilon_0} - \frac{\sigma}{2\epsilon_0} = \frac{\sigma}{2\epsilon_0}$$

(Directed towards sheet '2')

**OR**

a) Definition of electrostatic potential and SI unit 1+1/2

Derivation for the electrostatic potential energy 1+1/2

b) Equipotential surface for (i) & (ii) 1+1

a) Electrostatic potential : Work done by an external force in bringing a unit positive charge from infinity to the given point

SI unit- volt or J/C)

Net work done in moving charges  $q_1, q_2$  &  $q_3$  from infinity to A, B and C respectively

$$W = 0 + q_2 V_{13} + q_3 (V_{13} + V_{23})$$

$$= \frac{1}{4\pi\epsilon_0} \frac{q_1 q_2}{r_{12}} + \frac{1}{4\pi\epsilon_0} \left( \frac{q_1 q_3}{r_{13}} + \frac{q_2 q_3}{r_{23}} \right)$$

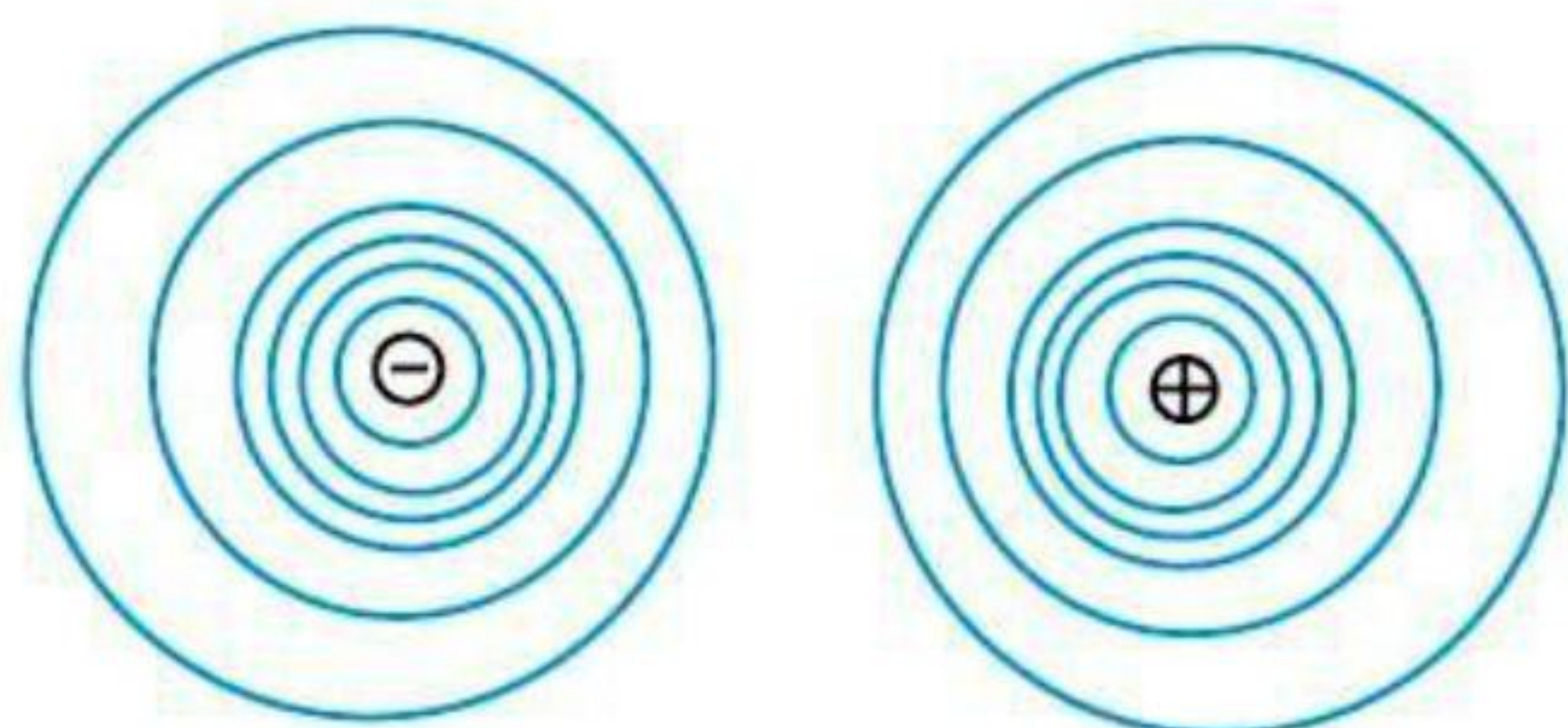
But potential energy of the system is equal to the work done.

$$\therefore U = w = \frac{1}{4\pi\epsilon_0} \left( \frac{q_1 q_2}{r_{12}} + \frac{q_1 q_3}{r_{13}} + \frac{q_2 q_3}{r_{23}} \right)$$

(Award these 1 mark if the student directly writes the expression for  $U$ )

(b) Equipotential surface due to

(i) An electric dipole



1/2

1/2

5

1

1/2

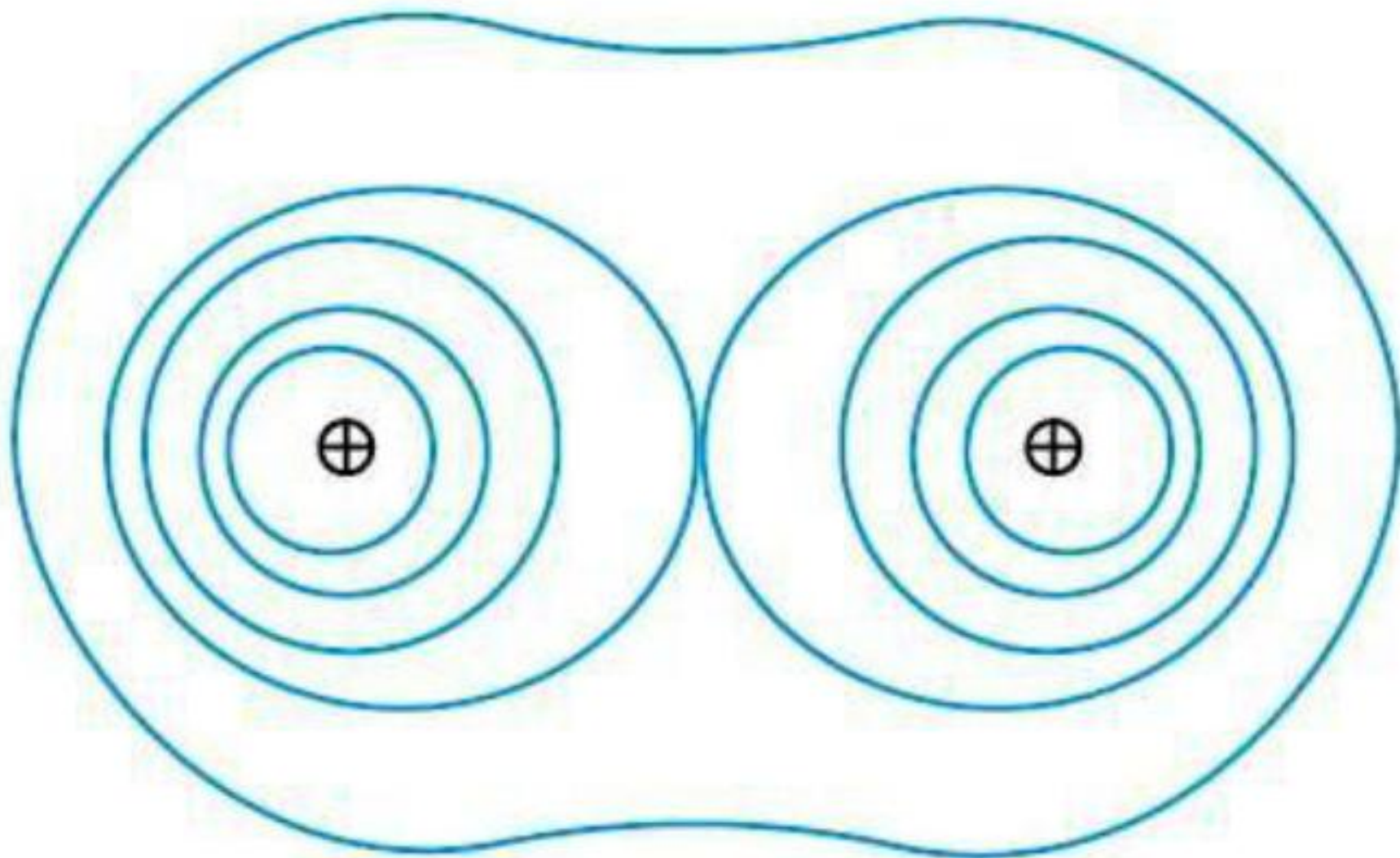
1/2

1/2

1/2

1



	<p>(ii) Two identical positive charges</p> 	1	5
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