

1.3 VELOCITY AND SPEED – (Guided Notes)

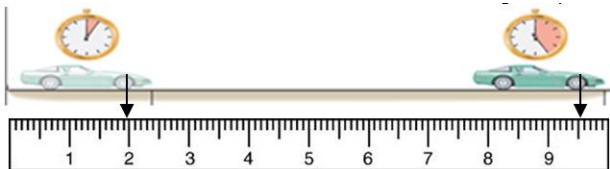
Also in your book on page 332-336

1.2 Distinguish between displacement, distance, velocity, speed, and acceleration. Solve problems involving displacement, distance, velocity, speed, and constant acceleration.

Learning Objectives: What is speed? What is velocity? What is the difference between speed and velocity? What are the units of speed and velocity?

Speed (Scalar)	$R \text{ or } S = \left(\frac{d}{\Delta t}\right) = \left(\frac{d}{t_{final} - t_{initial}}\right)$	Velocity (Vector)	$\vec{v} = \left(\frac{\Delta \vec{x}}{\Delta t}\right) = \left(\frac{\vec{x}_{final} - \vec{x}_{initial}}{t_{final} - t_{initial}}\right)$
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VELOCITY AND SPEED – They're similar but not the same.



VELOCITY – this is a measure of the rate of change of position. It is a rate so it will have time in the _____.

The Equation for Velocity = $\frac{\text{Displacement}}{\text{change in time}}$

For this situation it is necessary to measure change in time and change in position. The following measurements are made.

Initial Position = 2 meters, Initial Time = 5 seconds, Final Position = 9.5 meters Final Time = 25 seconds.

Calculate the velocity using the equation: $\text{Velocity} = \frac{(9.5m) - (2m)}{(25 \text{ sec}) - (5 \text{ sec})} = \frac{m}{sec} = \boxed{}$

Like DISPLACEMENT, VELOCITY only considers the starting and ending position but not on. The units of DISPLACEMENT are _____. The units for time are _____. The units of velocity are _____.

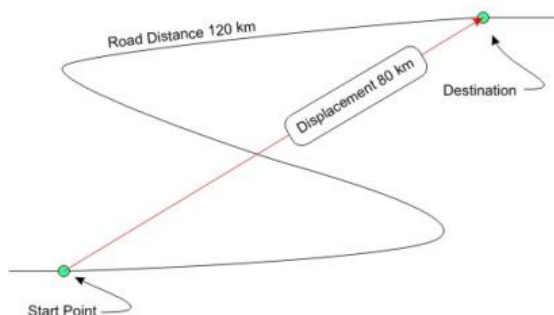
SPEED - This is also a measure of a rate of change of position but it is dependent upon the PATH.

The Equation for Speed = $\frac{\text{Distance traveled}}{\text{change in time}}$ or $R = D/T$

Take a look at the diagram. If a car makes this journey in 1/2 hour, what is the speed and velocity?

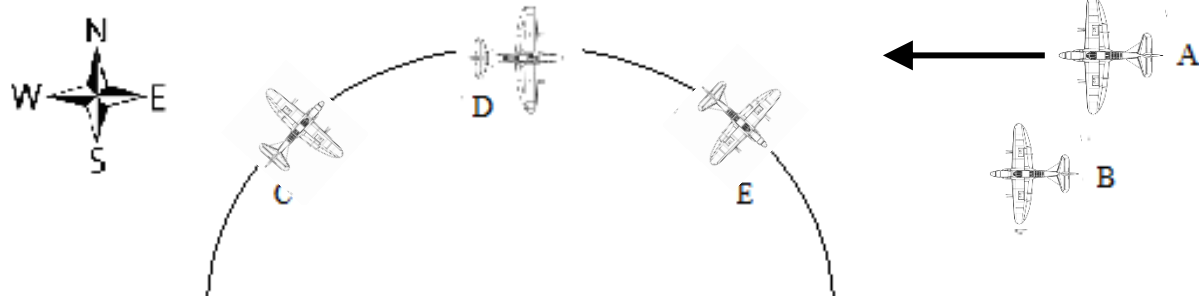
Speed = $\frac{\text{Distance traveled}}{\text{change in time}} = \frac{km}{hrs} = \boxed{}$

Velocity = $\frac{\Delta}{\text{change in time}} = \frac{km}{hrs} = \boxed{}$



Why are the values for speed and velocity so different? _____

Drawing the velocity Vector- Draw the velocity vectors for the airplanes

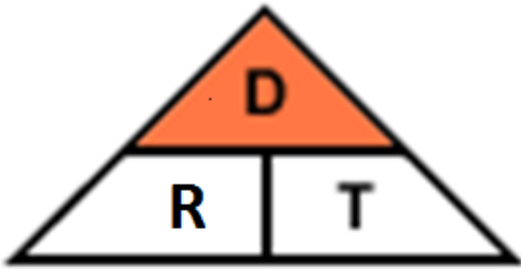


Use 1 cm = 20 m/s (estimate, you do not need a ruler)

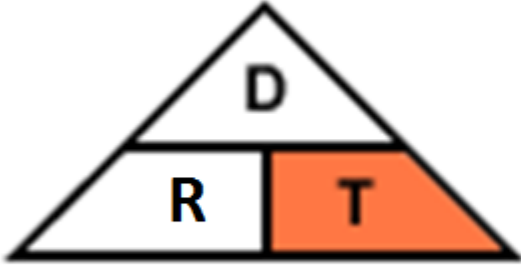
PLANE A is traveling 40 m/s West. (This one is done for you as an example)

Plane B = 20 m/s West, C = 60 m/s North East or (45°), D = 60 m/s East or (0°), E = 60 m/s South East or (-45°)

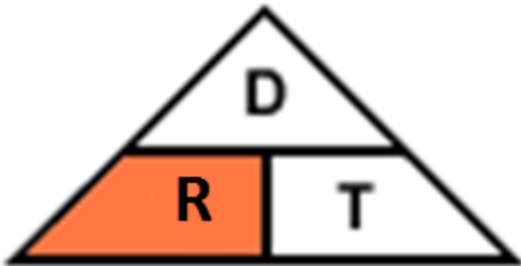
Note: C, D and E have the SAME SPEED but DIFFERENT VELOCITIES. **Why?** _____



Distance = Rate x Time



$$Time = \frac{Distance}{Rate}$$



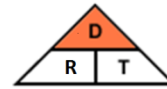
$$Rate = \frac{Distance}{Time}$$

1.3 Speed & Velocity (STUDENT EXERCISE)

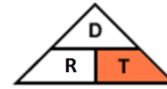
For further review of this material check on page 332-336 in your book)

SOME MATH QUESTIONS WITH SPEED – We use the following variables for Speed: R = rate or speed , D = distance traveled and T = time of journey. This gives us the following equation:

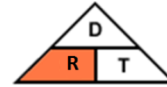
The Equation for Speed = $\frac{\text{Distance traveled}}{\text{change in time}} = R = \frac{d}{t}$



Distance = Rate x Time



$Time = \frac{Distance}{Rate}$



$Rate = \frac{Distance}{Time}$

- Solve the Speed equation for d: $d =$
- Solve the Speed equation for t: $t =$
- A car travels 60 km in 2 hrs. What is its speed?

(Use the following steps in presenting your solution: **1.** State what you know **2.** State what your calculating **3.** State and name the equation you are using **4.** Substitute your values with units and **5.** Calculate the solution and state it with appropriate units.

Unknown: $R = ?$	Substitution: $R = \frac{d}{t} = \frac{60km}{2 hrs} = 30 km/hr$
Known: $d = 60km, t = 2 hrs$	
Equation: $R = \frac{d}{t}$	

Solution Checklist		
1	Known value	✓
2	Unknown	✓
3	Equation	✓
4	Substitution	✓
5	Solution with units	✓

EXAMPLE: A car travels 160 km for .75 hrs. What is its speed? (213 km/hr)

Unknown: $R = ?$	Substitution:
Known:	
Equation: $R = \frac{d}{t}$	

Solution Checklist		
1	Known value	
2	Unknown	
3	Equation	
4	Substitution	
5	Solution with units	

- A car travels 100 km for .5 hrs. What is its speed? (200 km/hr)

Unknown: $R = ?$	Substitution:
Known:	
Equation: $R = \frac{d}{t}$	

Solution Checklist		
1	Known value	
2	Unknown	
3	Equation	
4	Substitution	
5	Solution with units	

- An airplane from Boston to London travels at 900km/hr. It is a 5-1/2 hour flight. How far is it from Boston to New London? (4950 km)

Unknown: $d = ?$	Substitution: $D = (\quad km/hr) (\quad hr) =$
Known:	
Equation: $d = Rt$	

Solution Checklist		
1	Known value	
2	Unknown	
3	Equation	
4	Substitution	
5	Solution with units	

- An airplane from Johannesburg to New York travels at 900km/hr. It is a 19 hour flight. How far is it from Johannesburg to New York? (17,100 km)

Unknown:	Substitution:
Known:	
Equation:	

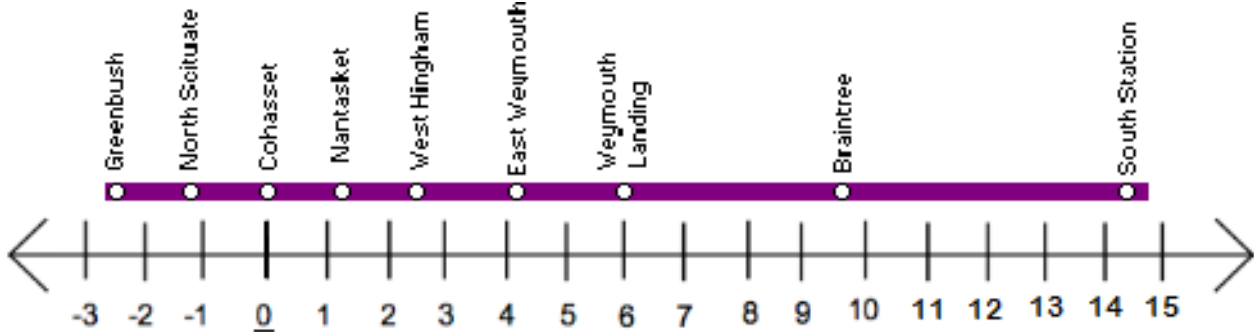
Solution Checklist		
1	Known value	
2	Unknown	
3	Equation	
4	Substitution	
5	Solution with units	

- In 1620 a group of Englishmen and women traveled across the Atlantic Ocean to a new land they ended up calling Massachusetts. The journey took 66 days (1584 hours) to travel the 3,600 miles. What was their speed for this trip? (2.3 MPH)

Unknown:	Substitution:
Known:	
Equation:	

Solution Checklist		
1	Known value	
2	Unknown	
3	Equation	
4	Substitution	
5	Solution with units	

VELOCITY QUESTIONS ARE VERY SIMILAR TO SPEED QUESTIONS



Use the diagram above to calculate the solution. The units on the diagram above are miles. NOTE: You may have a negative velocity.

8. A train makes it from Weymouth Landing to South Station without stopping in 1/2 hour. What is the velocity?

$X_{\text{final}} = 14.5 \text{ miles}$ $X_{\text{initial}} = 6 \text{ miles}$ $T = \frac{1}{2} \text{ hour}$ $\vec{v} = ?$ $\Delta x = X_{\text{final}} - X_{\text{initial}} = (14.5 \text{ miles} - 6 \text{ miles}) = 8.5 \text{ miles}$	$\text{Velocity} = \frac{\text{displacement}}{\text{time}}$	$\frac{8.5 \text{ miles}}{\frac{1}{2} \text{ hour}} = 17 \frac{\text{miles}}{\text{hour}}$
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9. BE CAREFUL WITH THIS ONE. A train goes from Cohasset to South Station in 1 hour then back to Nantasket in 1 hour. What is the approximate Speed of the train? (15 miles/hour) What is the approximate average velocity of the train for the entire trip? (.75 MILES/HR) (Explain)

10. Questions regarding the airplanes.

- Draw the vector for each airplane which is traveling at 60 m/s. (1 cm = 20 m/s)
- If once around the circular path is 600 meters, how long will it take an airplane to complete the circle? (10 seconds)
- What is the airplane's average velocity for the trip around the circle one time? BE CAREFUL, THINK ABOUT THE EQUATION FOR VELOCITY.

